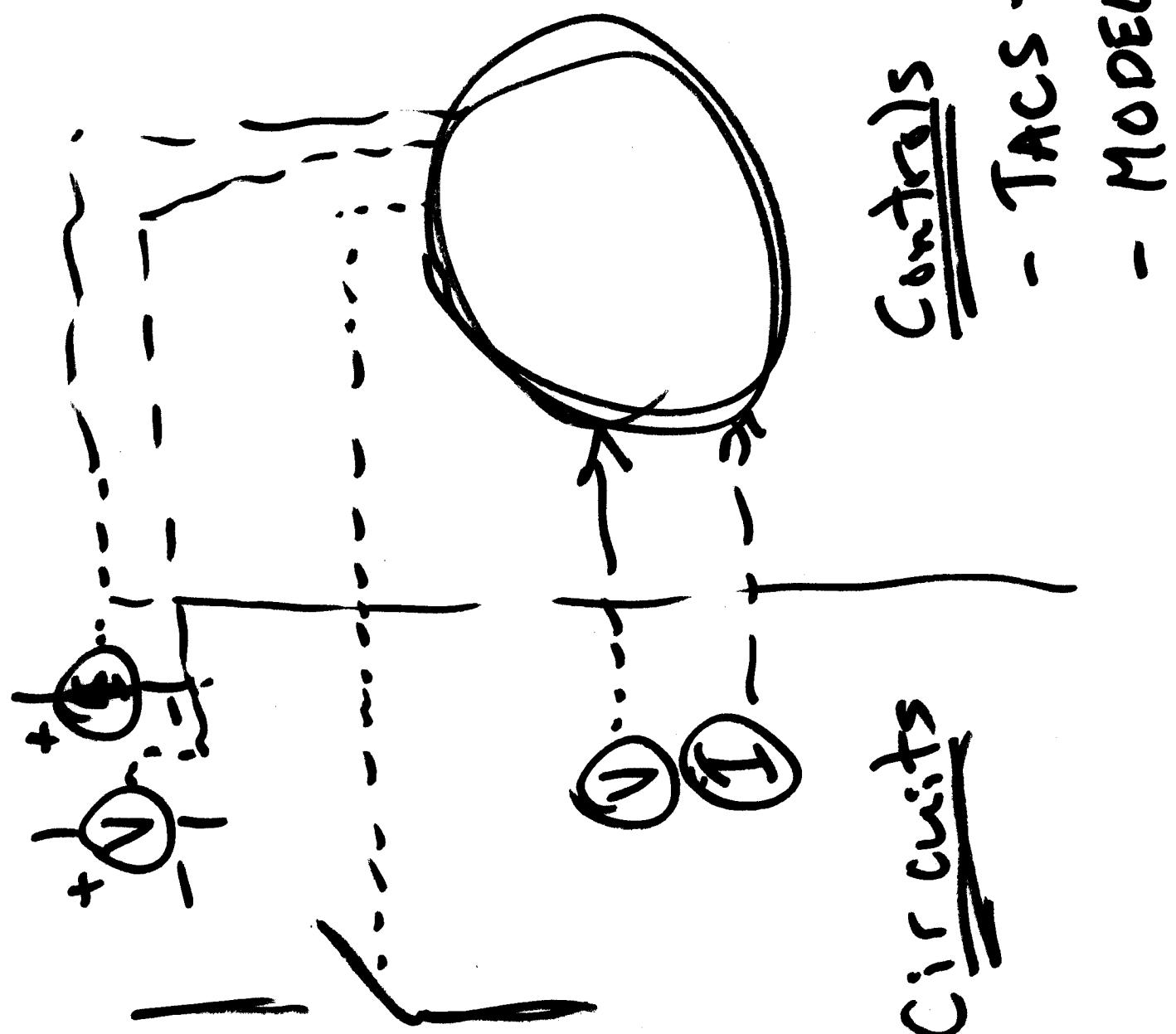
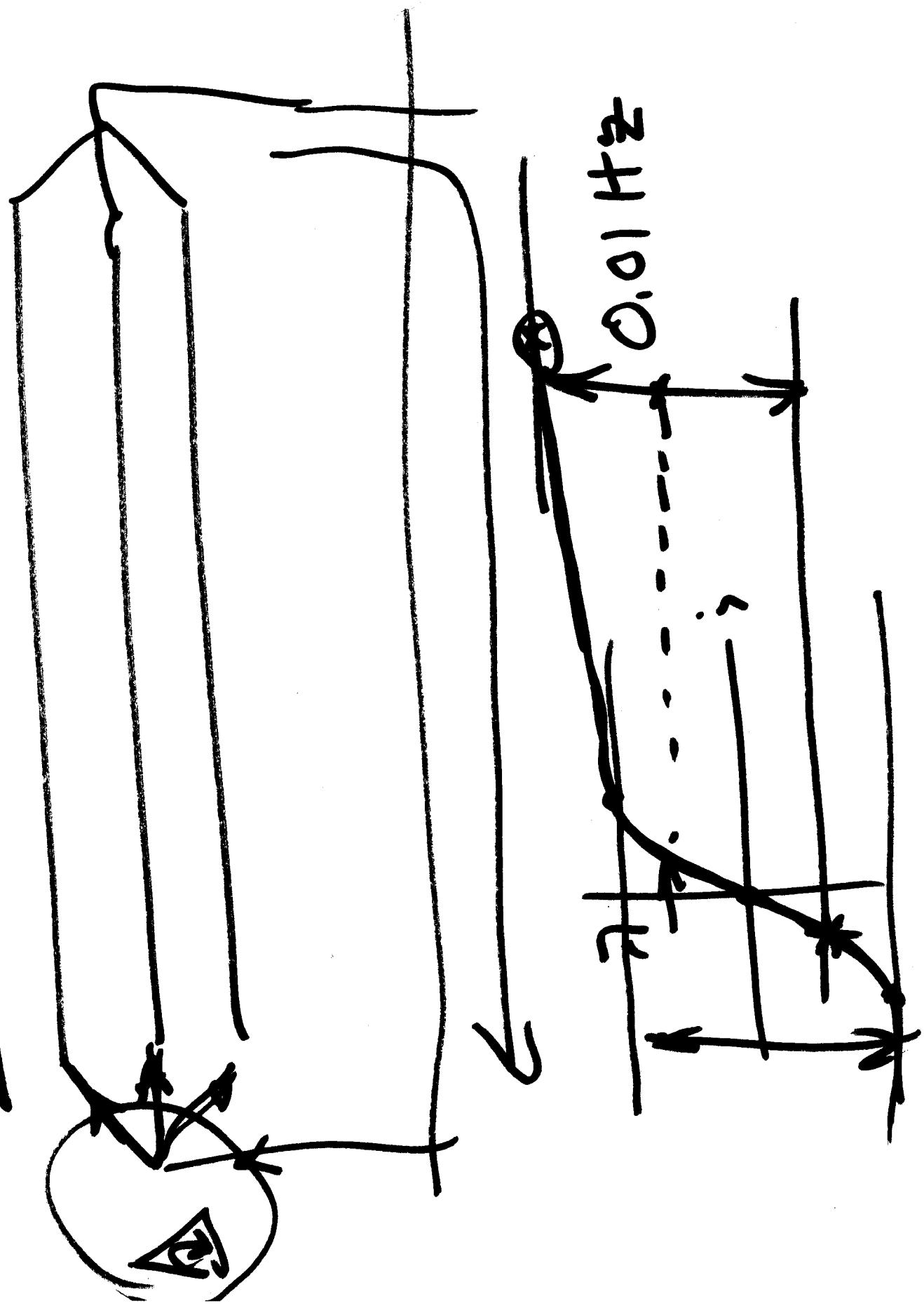


### Topics for Today:

- Course Info:
  - Web page: <https://pages.mtu.edu/~bamork/ee5220/>
  - Software - Matlab. ATP/EMTP [ License - [www.emtp.org](http://www.emtp.org) ]
  - ATP tutorials posted on our course web page
  - [EE5220-L@mtu.edu](mailto:EE5220-L@mtu.edu) (participation = half letter grade, 5%)
- HW#5 is a partnered exercise. Due latest Feb 22<sup>nd</sup> 9am.
  - Section 12.4 - detailed derivation for capacitor
  - Prob 5.3 - suggest first do ATP simulation, then Hand Calculations
  - Prob 5.6
- HW#6 - due ~Mar 1<sup>st</sup> 9am.
- Term Project - proposed topic(s) by end of Week 6, via short e-mail.
- Transmission Lines
  - Recap of T-Line equations
  - Meaning and application of T-Line equations
    - Steady-state phasor calculations, ABCD parameters.
    - Traveling wave calculations
    - Propagation constant,  $Z_c$ , etc.
- Use of ATPDraw's Line Constants to obtain parameters, build line models.
- Review of EE5200 Week 6 (mainly Lectures 17-18)



GTC



## Compensation

Shunt

- Voltage Support
- Power Transfer

$$P_{1-2} = \frac{V_1 V_2}{X_{12}} \sin(\delta_1 - \delta_2)$$

21% increase in  
(.95 → 1.05 pu.)

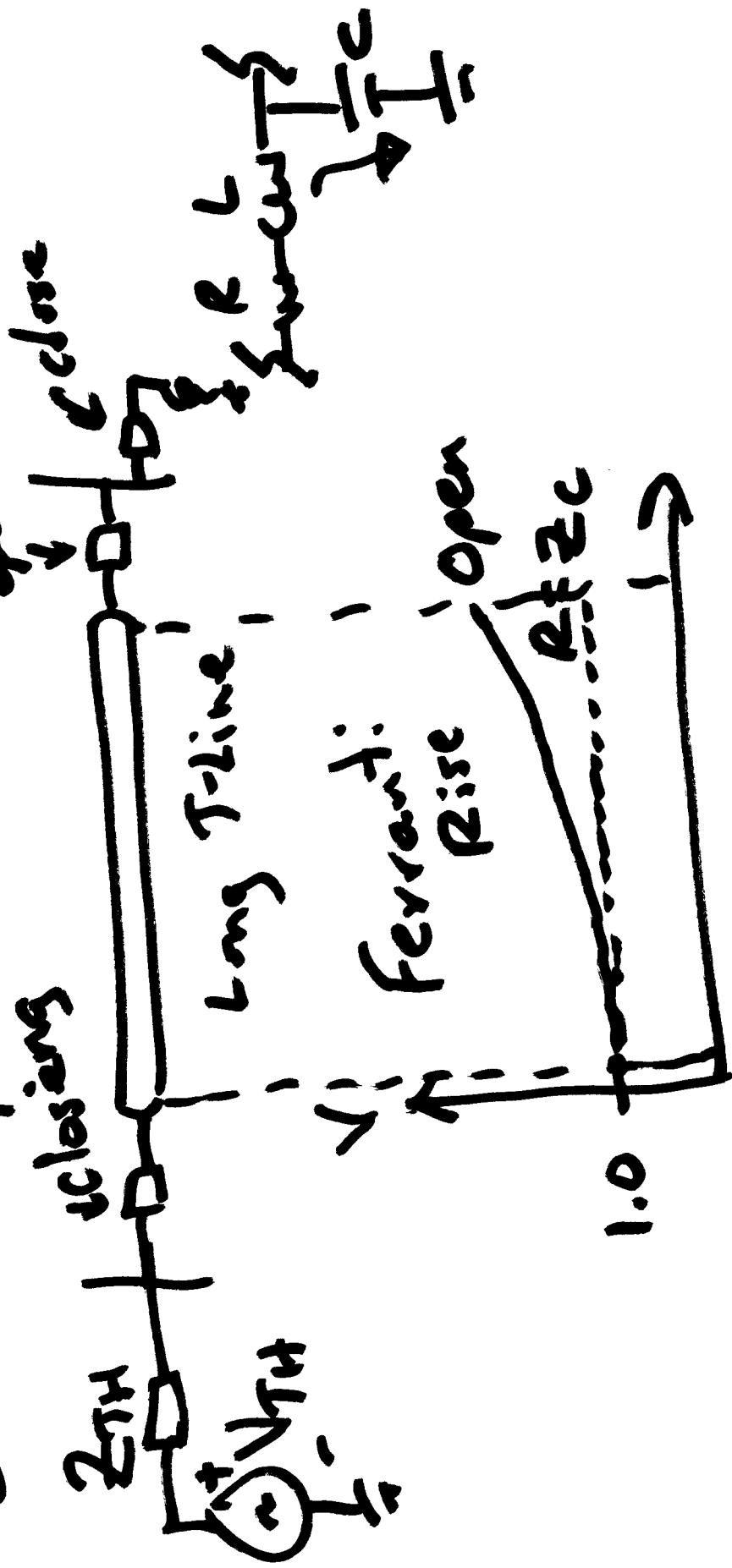
- Stability

20



3a

Shunt Comp: Reactors closed

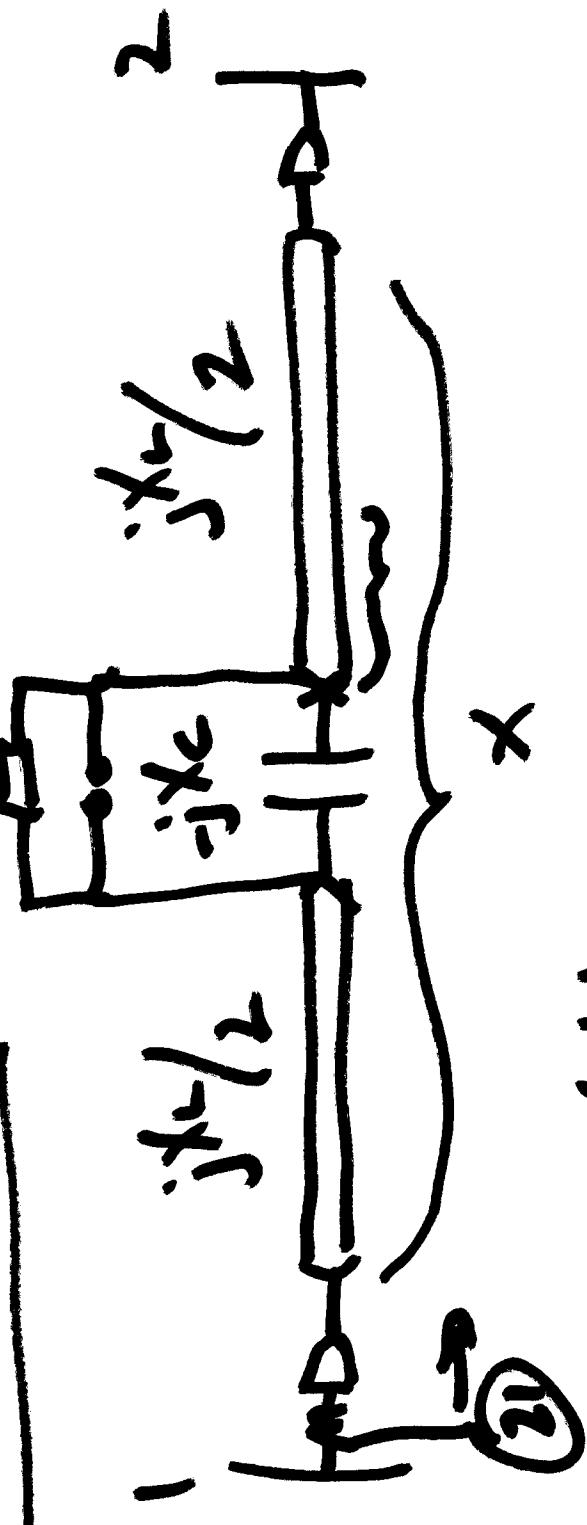


Ref: EE5200

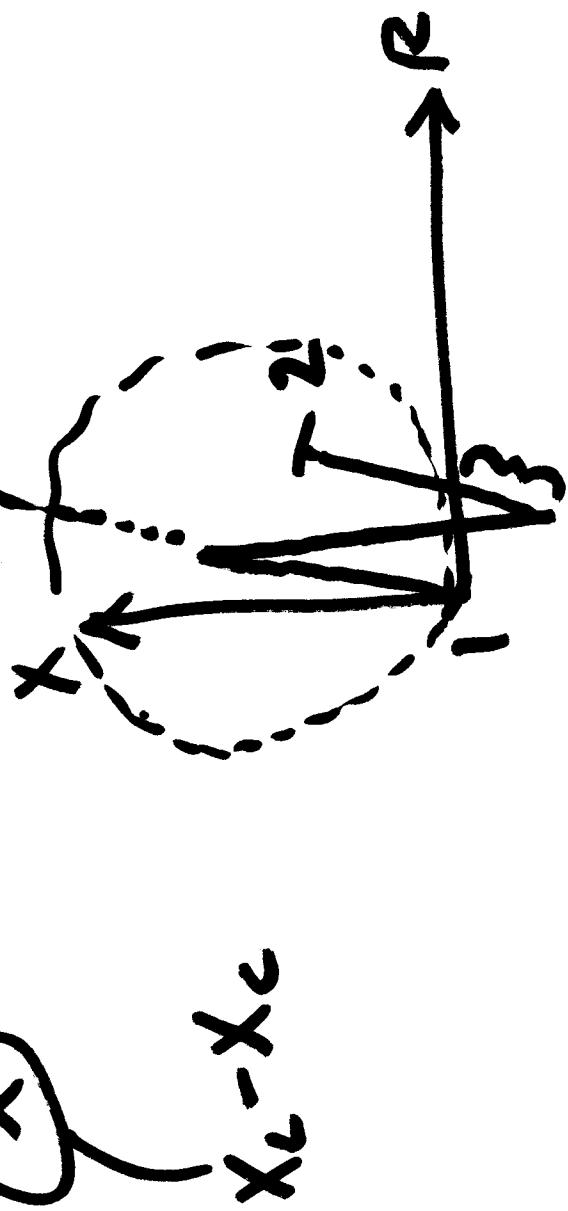
3b

Series Comp:

$C_a$

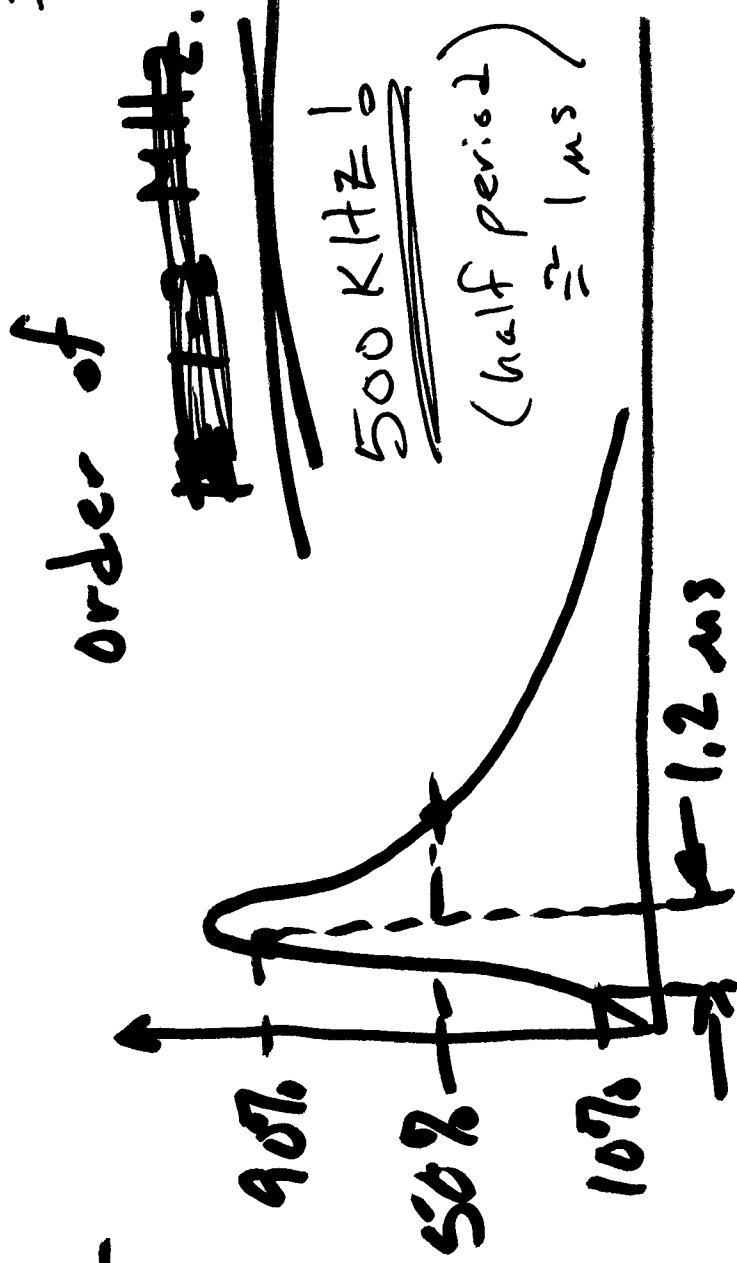


$$P_{1-2} = \frac{V_1 V_2}{X_L - X_C} \sin(\delta_1 - \delta_2)$$

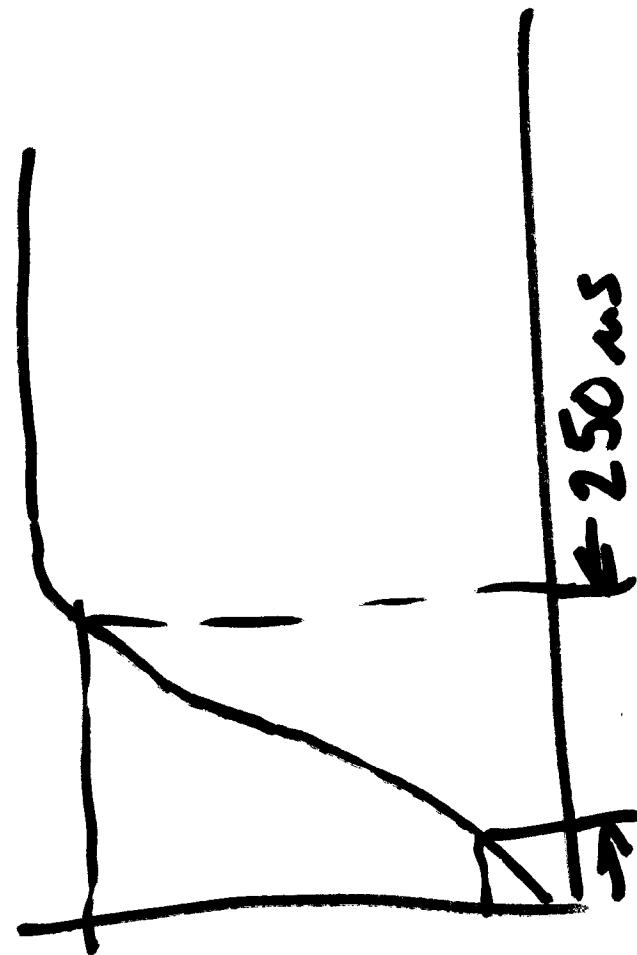


3c

## Lightning -



## Switching -



# DISTRIBUTED - PARAMETER T-LINES

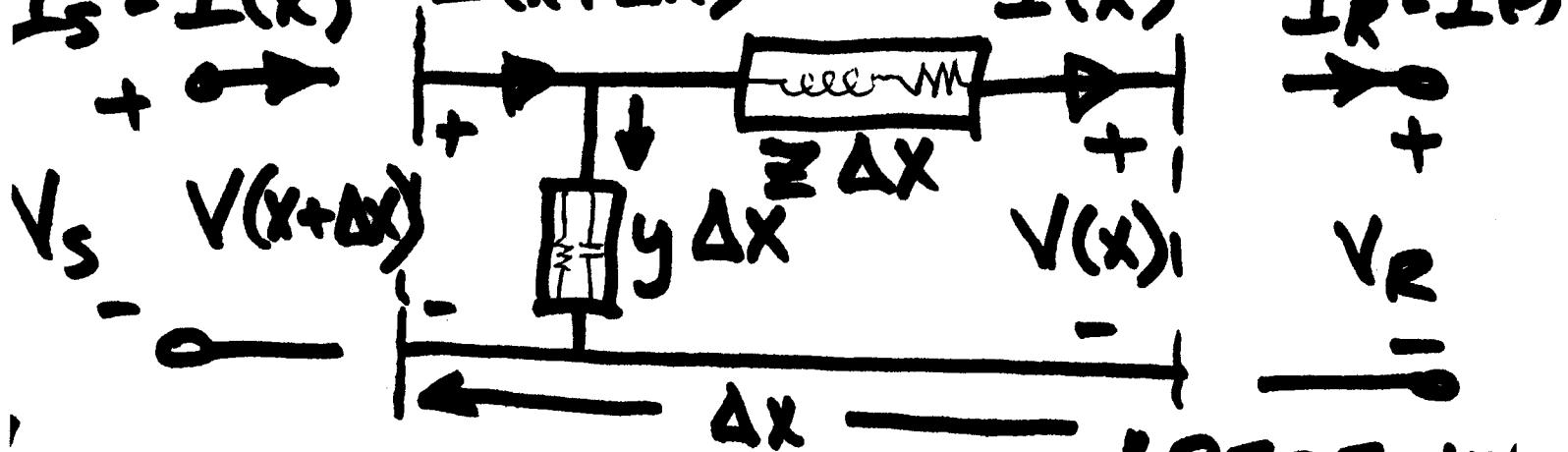
4

- "LONG LINES" ( $> 250\text{km}$  @ 60Hz)

- FOR LIGHTNING, EVEN VERY SHORT LINES ARE MODELED AS DIST-PARAM.

FOR INCREMENTAL LENGTH:

$$I_S = I(R) \quad I(x+\Delta x) \quad I(x) \quad I_R = I(B)$$



'SENDING  
END'

'RECEIVING  
END'

$$\boxed{Z = z\ell = R + jX}$$

$$\boxed{Y = y\ell = G + jB}$$

Making  $\Delta X$  very small,  
(small z)

$$\left\{ \begin{array}{l} dV = IZ^2 dx \\ dI = Vy dx \end{array} \right.$$

Rearranging,

$$\left\{ \begin{array}{l} \frac{dV}{dx} = IZ \\ \frac{dI}{dx} = Vy \end{array} \right. \quad \begin{array}{l} (1) \\ (2) \end{array}$$

Taking derivative of (1),

$$\frac{d^2V}{dx^2} = \frac{dI}{dx} Z$$

Substituting into (2) 6

$$\boxed{\frac{d^2V}{dx^2} = Vyz}$$

This implicit gen'l sol'n:

$$\underline{V} = A_1 e^{\sqrt{yz}x} + A_2 e^{-\sqrt{yz}x}$$

Since  $I = \frac{dV}{dx} / z$

$$I = A_1 \sqrt{\frac{y}{z}} e^{\sqrt{yz}x} - A_2 \sqrt{\frac{y}{z}} e^{-\sqrt{yz}x}$$

at  $x=0$ ,  $V=V_R$ ,  $I=I_R$

$$V(0) = V_R = A_1 + A_2$$

$$I(0) = I_R = \sqrt{\frac{y}{z}} A_1 - \sqrt{\frac{y}{z}} A_2$$

Defining  $Z_c = \sqrt{\frac{Z}{y}} = \frac{\text{Char}}{\text{Imp.}}$  7

$\gamma = \sqrt{y} Z = \text{Propagation}$   
 $\text{Const.}$

$$\boxed{V_R = A_1 + A_2}$$
$$I_R = \frac{A_1 - A_2}{Z_c}$$

$$\Rightarrow A_1 = (V_R + Z_c I_R) / 2$$
$$A_2 = \frac{V_R - Z_c I_R}{2}$$

$\infty$ 

$$V(x) = \frac{(V_R + Z_c I_R)}{2} e^{\gamma x} + \frac{(V_R - Z_c I_R)}{2} e^{-\gamma x}$$

$$I(x) = \left( \frac{\sqrt{R+Z_c I_R}}{2 Z_c} \right) e^{\gamma x} - \left( \frac{\sqrt{R-Z_c I_R}}{2 Z_c} \right) e^{-\gamma x}$$

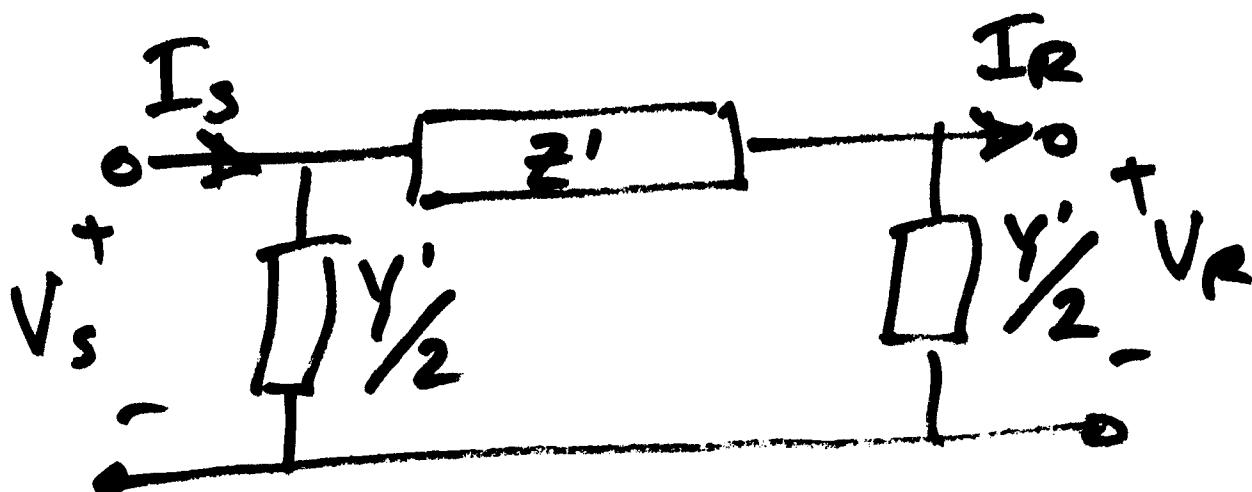
$$V_s = V(\vartheta) \rightarrow x = \vartheta$$

$$I_s = I(\vartheta) \rightarrow =$$

$$V(x) = \underbrace{V_R}_{A} \underbrace{\cosh(\gamma x)}_{B} + \underbrace{Z_c I_R}_{C} \underbrace{\sinh(\gamma x)}_{D} + I_R \underbrace{\cosh(\gamma x)}_{D}$$

$$c$$

In hyperbolic form,



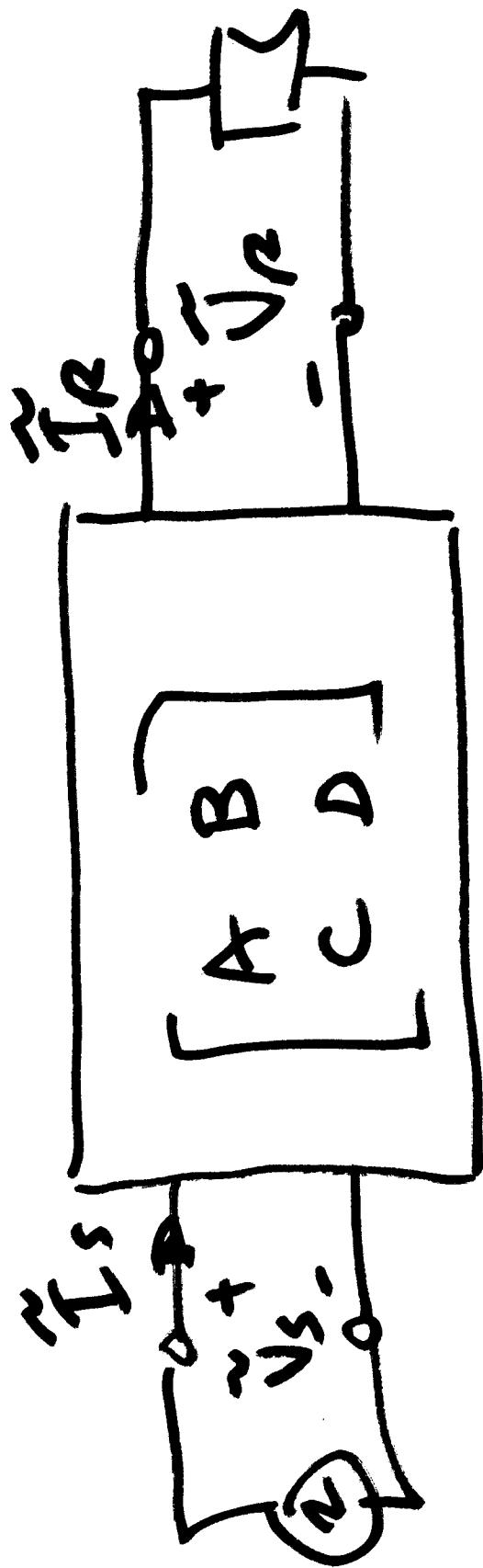
From EQNS:

$$\begin{bmatrix} V_s \\ I_s \end{bmatrix} = \begin{bmatrix} A & B \\ C & D \end{bmatrix} \begin{bmatrix} V_R \\ I_R \end{bmatrix}$$

IF we match  $\begin{bmatrix} A & B \\ C & D \end{bmatrix}$  with  $\pi$ -Eqn

$$Z' = Z \left[ \frac{\sinh(\gamma l)}{\gamma l} \right]$$

$$\frac{Y'}{2} = \frac{Y}{2} \left[ \frac{\tanh(\gamma l/2)}{\gamma l/2} \right]$$



per-phase T-line

# Propagation Constant

$$\gamma = \sqrt{\alpha^2 + j\beta^2} = \alpha + j\beta$$

$\alpha$  = attenuation constant  
(nepers/m)

$\beta$  = phase constant  
(radians/m)

Referring to p. 8, exponential form of  $V(x) \neq I(x)$ .

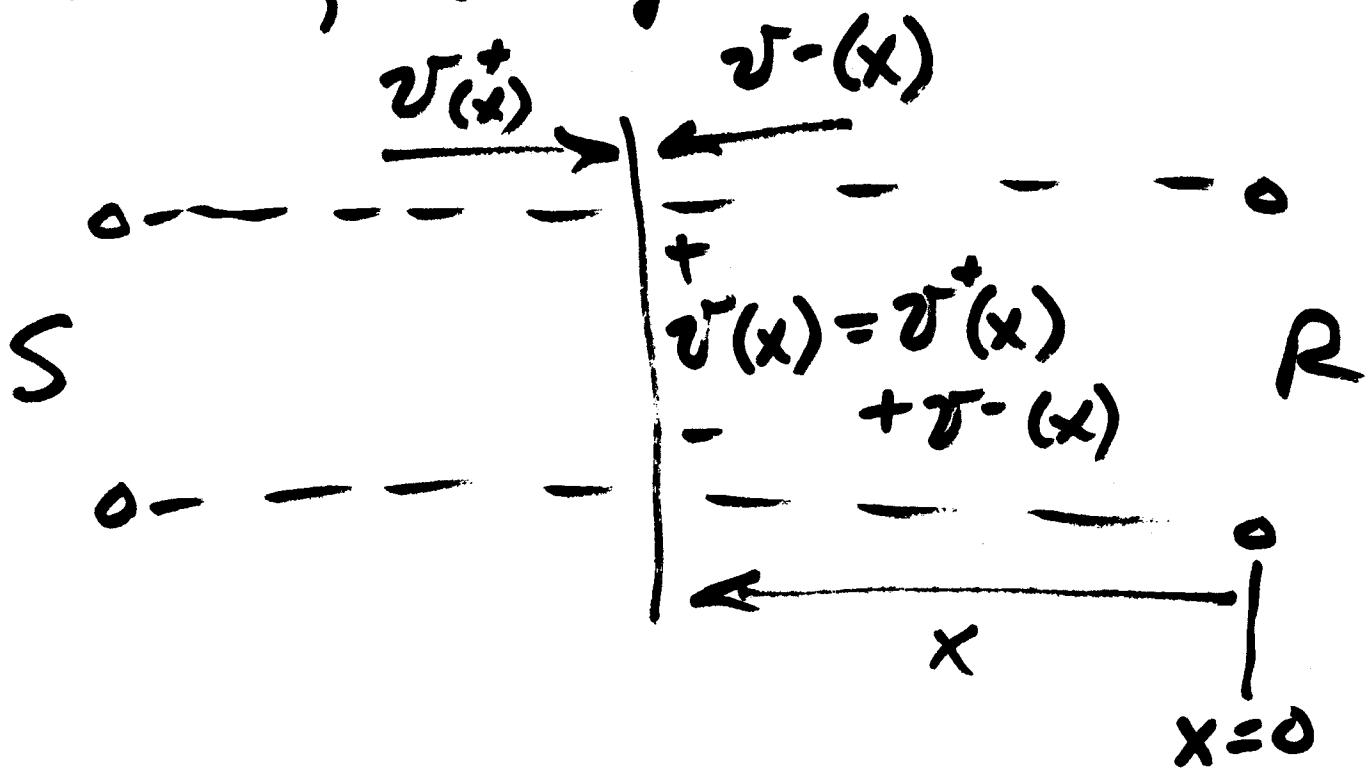
$$V(x) = V^+(x) + V'(x)$$

INCIDENT:  $V^+(x) = \frac{V_R + I_R Z_C}{2} e^{\alpha x} e^{j\beta x}$

REFLECTED:

$$V^-(x) = \frac{V_R - I_R Z_C}{2} e^{-\alpha x} e^{-j\beta x}$$

Conceptually



Same thing w/I's

$$I^+(x) = \left( \frac{V_R + Z_C I_R}{2 Z_C} \right) e^{\alpha x} e^{j\beta x}$$

$$I^-(x) = - \left( \frac{V_R - Z_C I_R}{2 Z_C} \right) e^{-\alpha x} e^{-j\beta x}$$

12

- SIL: Surge Imp Loading

$$- \gamma = \frac{2\pi}{\beta} e^{-j\beta x}$$

$$- \mathcal{E} - V = f \gamma$$

@ 60 Hz:  $\gamma = 3038 \text{ mi}$

$$V = 182,300 \text{ mi/s}$$

see following pages  
for add'l notes and  
a numerical ~~ex~~ example  
for a 3-phase line.

Look at  $\gamma$

$$\gamma = \alpha + j\beta \quad \left| \begin{array}{l} \alpha = \text{attenuation constant} \\ \beta = \text{phase constant} \end{array} \right.$$

$$V = \frac{V_R + I_R Z_c}{2} e^{\alpha x} e^{j\beta x} + \frac{V_R - I_R Z_c}{2} e^{-\alpha x} e^{-j\beta x}$$

$$I = \frac{\frac{V_R}{Z_c} + I_R}{2} e^{\alpha x} e^{j\beta x} - \frac{\frac{V_R}{Z_c} - I_R}{2} e^{-\alpha x} e^{-j\beta x}$$

Magnitude of

$e^{\alpha x}$  &  $e^{-\alpha x}$  change with distance  $x$   
which makes magnitude of  $V$  &  $I$  vary.

$e^{j\beta x}$  &  $e^{-j\beta x}$  ~~change only in angle~~  
~~as~~ as  $x$  changes.  $|e^{j\beta x}| = |e^{-j\beta x}| = 1$

$$V_s^+ = \frac{V_R + I_R Z_c}{2} e^{\alpha x} e^{j\beta x} = \text{incident voltage that strikes receiving end}$$

$$V_s^- = \frac{V_R - I_R Z_c}{2} e^{-\alpha x} e^{-j\beta x} = \text{reflected voltage reflected back from receiving end}$$

If Load on line =  $Z_c$ , then reflected voltage = 0  
( $\frac{V_R}{I_R} = Z_c$ ). This is called a flat line or infinite line. Normally this never occurs and it is impractical to attempt to do this.

For power systems,  $Z_c = \sqrt{\frac{L}{C}} = \text{surge impedance}$

$$\text{if } R_{\text{LINE}} = 0 \quad Z_c = \sqrt{\frac{L}{C}}$$

~~This~~ if  $R_{\text{LOAD}} = |Z_c|$  then the reactive power supplied/consumed by line = 0

$$\frac{V^2}{X_c} = I^2 X_c \quad \frac{V}{I} = \sqrt{X_c X_c} = \sqrt{\frac{L}{C}}$$

This is called surge impedance loading

Load is purely resistive  $R_L = \sqrt{\frac{L}{C}}$

$$|I_L| = \frac{V_L}{\sqrt{3}} \left( \frac{1}{\sqrt{\frac{L}{C}}} \right) \text{ Amps}$$

$$SIL = \sqrt{3} |V_L| |I_L|$$

$$= \sqrt{3} |V_L| \left( \frac{|V_L|}{\sqrt{3}} \frac{1}{\sqrt{\frac{L}{C}}} \right) = \boxed{\frac{|V_L|^2}{\sqrt{\frac{L}{C}}}} \text{ MW}$$

where  
 $V$  is in kV

Sometimes SIL is given in p.u.

wavelength

$$\lambda = \frac{2\pi}{\phi} \cong 3000 \text{ miles at } 60 \text{ Hz}$$

$$v = f\lambda \cong \text{speed of light}$$

$$\tau = \frac{\omega}{\beta} = \frac{1}{\sqrt{\frac{L}{C}}} \text{ ms}$$

EX:

GROSSBREAK       $D_{EQ} = 15 \text{ ft.}$        $\lambda = 300 \text{ mi}$   
 100 MW             $200 \text{ KV}_{L-L}$        $PF = 1$

$$X_L = .412 + .3286 = .7406 \Omega/\text{mi}$$

$$L = 1.965 \text{ mH/mi}$$

$$X_C = .0946 + .0803 \text{ M}\Omega\text{-mi} = .1747 \text{ M}\Omega\text{-mi}$$

$$C = .01518 \mu\text{F/mi}$$

$$R = .1454 \Omega/\text{mi}$$

$$Z = .1454 + j.7406 = .7547 \angle 78.9^\circ \Omega/\text{mi}$$

$$y = 5.724 \times 10^{-6} \angle 90^\circ \Omega/\text{mi} = \frac{1}{X_C}$$

$$Yl = \sqrt{yzl} = .6235 \angle 84.45^\circ = \boxed{\begin{matrix} .0603 \\ \alpha l \end{matrix}} + \boxed{\begin{matrix} j.6205 \\ j\beta l \end{matrix}}$$

$$Z_C = \sqrt{\frac{z}{y}} = 363 \angle -5.5^\circ \Omega$$

$$V_R = 200/\sqrt{3} = 115.2 \angle 0^\circ \text{ KV}$$

$$I_R = 100 \times 10^6 / \sqrt{3} (200k) = 288.6 \angle 0^\circ \text{ A}$$

INC10.       $V_R^+ = \frac{V_R + I_R Z_C}{2} = 109.85 \angle -2.62^\circ \text{ KV}$

REFL.       $V_R^- = \frac{V_R - I_R Z_C}{2} = 7.42 \angle 42.51^\circ \text{ KV}$

INC10       $V_S^+ = \frac{V_R + I_R Z_C}{2} e^{j\alpha l} e^{j\beta l} = 116.68 \angle 32.93^\circ \text{ KV}$

REFL.       $V_S^- = \frac{V_R - I_R Z_C}{2} e^{-j\alpha l} e^{-j\beta l} = 6.986 \angle 70.18^\circ \text{ KV}$

$V_{LOAD} = V_R^+ + V_R^- = 115.2 \angle 0^\circ \text{ KV} \quad \therefore \text{checks ok}$

$V_S = V_S^+ + V_S^- = 123.04 \angle 31.5^\circ \text{ KV}$

$$\beta = \frac{\text{Phase Constant}}{\lambda} = .002068 \text{ rad/mi}$$

$$\lambda = \frac{2\pi}{\beta} = 3038 \text{ miles}$$

$$V = F\lambda = 182,300 \text{ mi/sec}$$

$$I_s^+ = \frac{V_s^+}{Z_c} = 321.43 \angle 38.43^\circ \text{ A}$$

$$I_s^- = \frac{V_s^-}{Z_c} = -19.24 \angle 12.618^\circ \text{ A}$$

$$I_s = I_s^+ + I_s^- = 304.2 \angle 40.01^\circ$$

$$\text{MVA} = \sqrt{3} V_{LS} I_{LS} = \sqrt{3} \left( \frac{213.04}{213.04} \right) (304.2) = \underline{\hspace{2cm}} \text{ MVA}$$

112.25 MVA

$$P_s = 112.25 \cos (40.01 - 31.5) = \underline{\hspace{2cm}} \text{ MW}$$

$$Q_s = -16.61 \text{ MVAR}$$

You may work with one homework partner on this if you wish. Using ATPDraw's Line Constants interface, you will enter the physical design dimensions of a single-circuit and a double-circuit line and obtain the parameters of the line, and use the Verify function to confirm the 60-Hz sequence impedances and line-charging MVA.

*As with all of your work with ATP, refer to the 346-page ATPDraw Users Manual, this is available in the ATP program group on the remote.mtu.edu server. Many good examples and self-help / self-learning. Discussions on our e-mail group can be referring to appropriate pages of this manual.*

For both cases, use the lumped parameter coupled-pi model, assume earth resistivity is 100 Ohm-meters, and create the model for 60-Hz. Check off all possible output requests – this will create a detailed output of all parameter matrices and line parameters in the \*.lis file (in H:\atp\results\).

Case 1: See attached example 5.10 from Glover & Sarma 2<sup>nd</sup> Ed. However, use line data from EPRI case 3H4. [http://www.ece.mtu.edu/faculty/bamork/ee5200/TLin\\_cfg.pdf](http://www.ece.mtu.edu/faculty/bamork/ee5200/TLin_cfg.pdf) If the required line data is not given in the attached table, look it up in mfrs web page (links via Useful Web Links).

Case 2a: Do Prob. 5.37 from Glover & Sarma 2<sup>nd</sup> Ed. However, use line data from EPRI case 3P3.

Case 2b: Do Prob 5.38 from Glover & Sarma 2<sup>nd</sup> Ed. Again, use 3P3 line data.

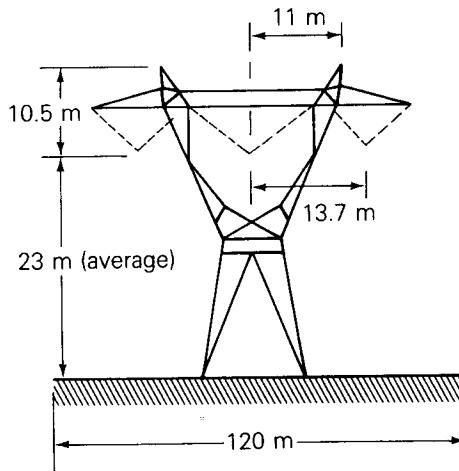
For each case:

- Provide notes on how you handle the conductor parameters and in general how you used Line Constants.
- Copy/paste the parameter input screens from Line Constants. Provide annotations.
- Copy/paste the Verify output for steady-state 60Hz
  - Sequence impedances and line charging MVARS. Explain meaning of each.  
Elaborate on pos, neg, zero effects for impedance and line charging.
- Copy/paste the Frequency Scan Verify output for 1 Hz -100 kHz. Why are positive sequence and zero sequence different? Can you trust the Pi model at high frequencies?
- Copy/paste the Linecheck output for steady-state 60 Hz. Explore use of selecting output in different units. Explain meaning.
- Provide a printout of the .lis file's Line Constants output. Provide annotations of the meaning of each of the parameter matrices.
- From \*.lis printout:
  - Make note of z & y in ohms and S per mile or per meter.
  - Make note of  $\gamma$ ,  $\alpha$ ,  $\beta$ ,  $Z_C$ ,  $\tau$ .
  - For the single-circuit line, calculate the line's ABCD parameters.

In the next homework, you can begin using the line model to simulate things like Ferranti Rise, traveling waves, line loading effects, and many other performance scenarios.

**Figure 5.31**

Three-phase 765-kV line for Example 5.10



Neutrals:  
2—Alumoweld 7 no. 8  
Radius = 0.489 cm  
GMR = 0.0636 cm  
Resistance = 1.52 Ω/km

Phase conductors:  
4—ACSR 954 kcmil, 54/7  
Radius = 1.519 cm  
GMR = 1.229 cm  
Resistance = 0.0701 Ω/km  
Bundle spacing = 45.7 cm  
Earth resistivity = 100 Ωm  
Frequency = 60 Hz  
Voltage = 765 kV

**Table 5.6 Output data for Example 5.10**

Series phase impedance matrix  $Z_p$  Eq. 5.7.19 Units: Ohms/km

$$\begin{bmatrix} 0.1181E + 00 + j5.532E - 01 & 0.1009E + 00 + j2.340E - 01 & 0.9813E - 01 + j1.842E - 01 \\ 0.1009E + 00 + j2.339E - 01 & 0.1200E + 00 + j5.500E - 01 & 0.1009E + 00 + j2.339E - 01 \\ 0.9813E - 01 + j1.842E - 01 & 0.1009E + 00 + j2.340E - 01 & 0.1181E + 00 + j5.532E - 01 \end{bmatrix}$$

Series sequence impedance matrix  $Z_s$  Eq. 5.7.25 Units: Ohms/km

$$\begin{bmatrix} 0.3187E + 00 + j9.869E - 01 & 0.1264E - 00 - j9.112E - 03 & -0.1421E - 01 - j6.389E - 03 \\ -0.1421E - 01 - j6.374E - 03 & 0.1875E - 01 + j3.347E - 01 & -0.2903E - 01 + j1.814E - 02 \\ 0.1262E - 01 - j9.117E - 03 & 0.3022E - 01 + j1.607E - 02 & 0.1875E - 01 + j3.347E - 01 \end{bmatrix}$$

Shunt phase admittance matrix  $Y_p$  Eq. 5.11.16 Units: S/km

$$\begin{bmatrix} +j4.311E - 06 & -j7.666E - 07 & -j2.167E - 07 \\ -j7.666E - 07 & +j4.439E - 06 & -j7.666E - 07 \\ -j2.167E - 07 & -j7.666E - 07 & +j4.311E - 06 \end{bmatrix}$$

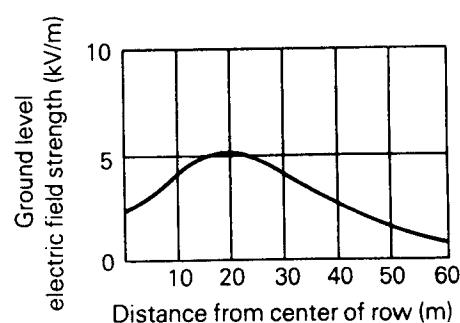
Shunt sequence admittance matrix  $Y_s$  Eq. 5.11.19 Units: S/km

$$\begin{bmatrix} 0.0000E + 00 & +j3.187E - 06 & -0.1219E - 06 & +j7.036E - 08 & 0.1219E - 06 & +j7.036E - 08 \\ 0.1219E - 06 & +j7.036E - 08 & -0.3901E - 13 & +j4.937E - 06 & 0.3544E - 06 & -j2.046E - 07 \\ -0.1219E - 06 & +j7.036E - 08 & -0.3544E - 06 & -j2.046E - 07 & 0.3901E - 13 & +j4.937E - 06 \end{bmatrix}$$

Conductor surface electric field strength Eqs. 5.12.1–5.12.5

$$E_{r\max} = 19.3 \text{ kV}_{\text{rms}}/\text{cm}$$

Lateral profile of ground-level electric field strength Eq. 5.12.6



- 5.31** Rework Problem 5.30 with one neutral wire located 6 m directly above the center phase conductor. Compare the series sequence impedance matrix with that of Problem 5.30.
- 5.32** Using the LINE CONSTANTS program, compute the shunt sequence admittance matrix for the line in Problem 5.13. Assume an average line height of 20 m and no neutral wires. Compare the computed positive-sequence shunt admittance with the result calculated in Problem 5.21.
- 5.33** Rework Problem 5.32 with two neutral wires located 7 m above and 8 m to the left and right of the center bundle.
- 5.34** Using the LINE CONSTANTS program, compute the conductor surface electric field strength and the ground-level electric field strength profile for the line in Problem 5.33. Assume a 100 m right-of-way width.
- 5.35** Determine the effect of a 10% decrease as well as a 10% increase in phase spacing on the conductor surface electric field strength and on the ground-level electric field strength profile for the line in Problem 5.34.
- 5.36** Determine the effect of a 10% decrease as well as a 10% increase in the average line height on the conductor surface electric field strength as well as the ground-level electric field strength profile for the line in Problem 5.34.
- 5.37** Using the LINE CONSTANTS program, calculate the equivalent series sequence impedance matrix and the equivalent shunt sequence admittance matrix for the double-circuit, three-phase line shown in Figure 5.34 with phase arrangement I.

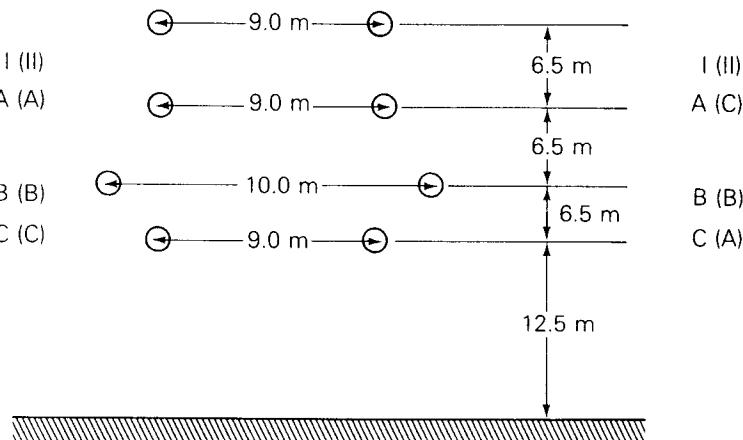
**Figure 5.34**

Double-circuit line for Problems 5.37 and 5.38

Phase conductors:  
 1—ACSR 2515 kcmil, 76/19  
 Radius = 2.388 cm  
 GMR = 1.893 cm  
 Resistance = 0.0280  $\Omega/\text{km}$

Neutrals:  
 2—Alumoweld 7 no. 8  
 Radius = 0.489 cm  
 GMR = 0.0636 cm  
 Resistance = 1.52  $\Omega/\text{km}$

Earth resistivity = 100  $\Omega\text{m}$   
 Frequency = 60 Hz  
 Voltage = 345 kV



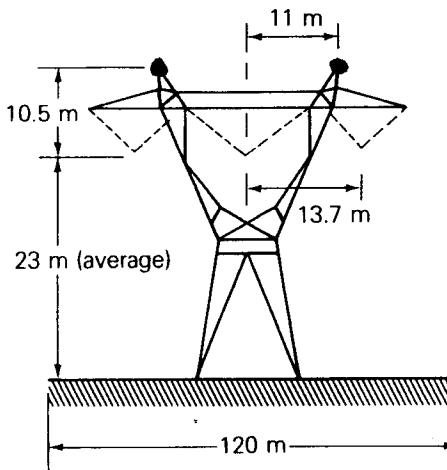
- 5.38** Rework Problem 5.37 for phase arrangement II shown in parentheses in Figure 5.34. Compare the computed results of the two phase arrangements.



HW#6

Figure 5.31

Three-phase 765-kV line for Example 5.10



## Neutrals:

2—Alumoweld 7 no. 8  
Radius = 0.489 cm  
GMR = 0.0636 cm  
Resistance = 1.52 Ω/km

## Phase conductors:

4—ACSR 954 kcmil, 54/7  
Radius = 1.519 cm  
GMR = 1.229 cm  
Resistance = 0.0701 Ω/km  
Bundle spacing = 45.7 cm

Earth resistivity = 100 Ωm  
Frequency = 60 Hz  
Voltage = 765 kV

Table 5.6 Output data for Example 5.10

Series phase impedance matrix  $Z_p$  Eq. 5.7.19 Units: Ohms/km

$$\begin{bmatrix} 0.1181E + 00 + j5.532E - 01 & 0.1009E + 00 + j2.340E - 01 & 0.9813E - 01 + j1.842E - 01 \\ 0.1009E + 00 + j2.339E - 01 & 0.1200E + 00 + j5.500E - 01 & 0.1009E + 00 + j2.339E - 01 \\ 0.9813E - 01 + j1.842E - 01 & 0.1009E + 00 + j2.340E - 01 & 0.1181E + 00 + j5.532E - 01 \end{bmatrix}$$

Series sequence impedance matrix  $Z_s$  Eq. 5.7.25 Units: Ohms/km

$$\begin{bmatrix} 0.3187E + 00 + j9.869E - 01 & 0.1264E - 00 - j9.112E - 03 & -0.1421E - 01 - j6.389E - 03 \\ -0.1421E - 01 - j6.374E - 03 & 0.1875E - 01 + j3.347E - 01 & -0.2903E - 01 + j1.814E - 02 \\ 0.1262E - 01 - j9.117E - 03 & 0.3022E - 01 + j1.607E - 02 & 0.1875E - 01 + j3.347E - 01 \end{bmatrix}$$

Shunt phase admittance matrix  $Y_p$  Eq. 5.11.16 Units: S/km

$$\begin{bmatrix} +j4.311E - 06 & -j7.666E - 07 & -j2.167E - 07 \\ -j7.666E - 07 & +j4.439E - 06 & -j7.666E - 07 \\ -j2.167E - 07 & -j7.666E - 07 & +j4.311E - 06 \end{bmatrix}$$

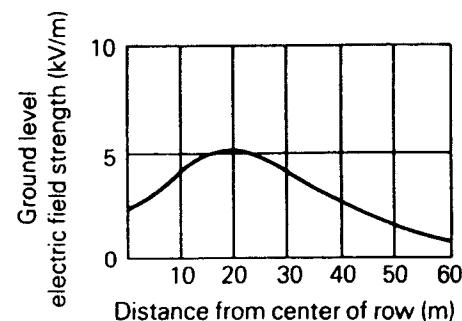
Shunt sequence admittance matrix  $Y_s$  Eq. 5.11.19 Units: S/km

$$\begin{bmatrix} 0.0000E + 00 & +j3.187E - 06 & -0.1219E - 06 & +j7.036E - 08 & 0.1219E - 06 & +j7.036E - 08 \\ 0.1219E - 06 & +j7.036E - 08 & -0.3901E - 13 & +j4.937E - 06 & 0.3544E - 06 & -j2.046E - 07 \\ -0.1219E - 06 & +j7.036E - 08 & -0.3544E - 06 & -j2.046E - 07 & 0.3901E - 13 & +j4.937E - 06 \end{bmatrix}$$

Conductor surface electric field strength Eqs. 5.12.1–5.12.5

$$E_{rmax} = 19.3 \text{ kV}_{rms}/\text{cm}$$

Lateral profile of ground-level electric field strength Eq. 5.12.6



- 5.31** Rework Problem 5.30 with one neutral wire located 6 m directly above the center phase conductor. Compare the series sequence impedance matrix with that of Problem 5.30.
- 5.32** Using the LINE CONSTANTS program, compute the shunt sequence admittance matrix for the line in Problem 5.13. Assume an average line height of 20 m and no neutral wires. Compare the computed positive-sequence shunt admittance with the result calculated in Problem 5.21.
- 5.33** Rework Problem 5.32 with two neutral wires located 7 m above and 8 m to the left and right of the center bundle.
- 5.34** Using the LINE CONSTANTS program, compute the conductor surface electric field strength and the ground-level electric field strength profile for the line in Problem 5.33. Assume a 100 m right-of-way width.
- 5.35** Determine the effect of a 10% decrease as well as a 10% increase in phase spacing on the conductor surface electric field strength and on the ground-level electric field strength profile for the line in Problem 5.34.
- 5.36** Determine the effect of a 10% decrease as well as a 10% increase in the average line height on the conductor surface electric field strength as well as the ground-level electric field strength profile for the line in Problem 5.34.
- 5.37** Using the LINE CONSTANTS program, calculate the equivalent series sequence impedance matrix and the equivalent shunt sequence admittance matrix for the double-circuit, three-phase line shown in Figure 5.34 with phase arrangement I.

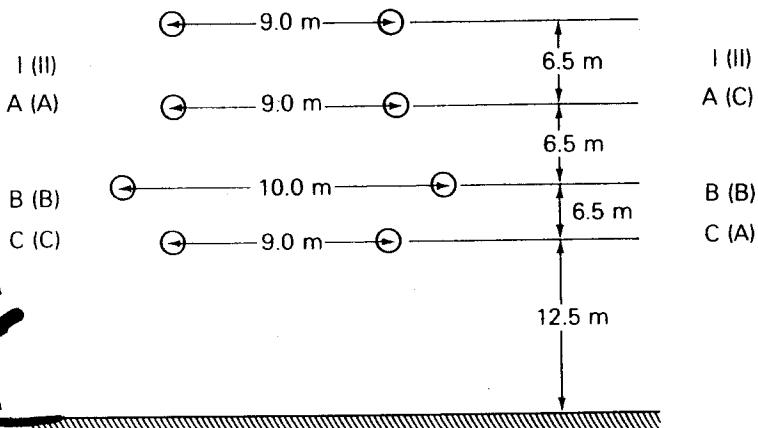
**Figure 5.34**

Double-circuit line for Problems 5.37 and 5.38

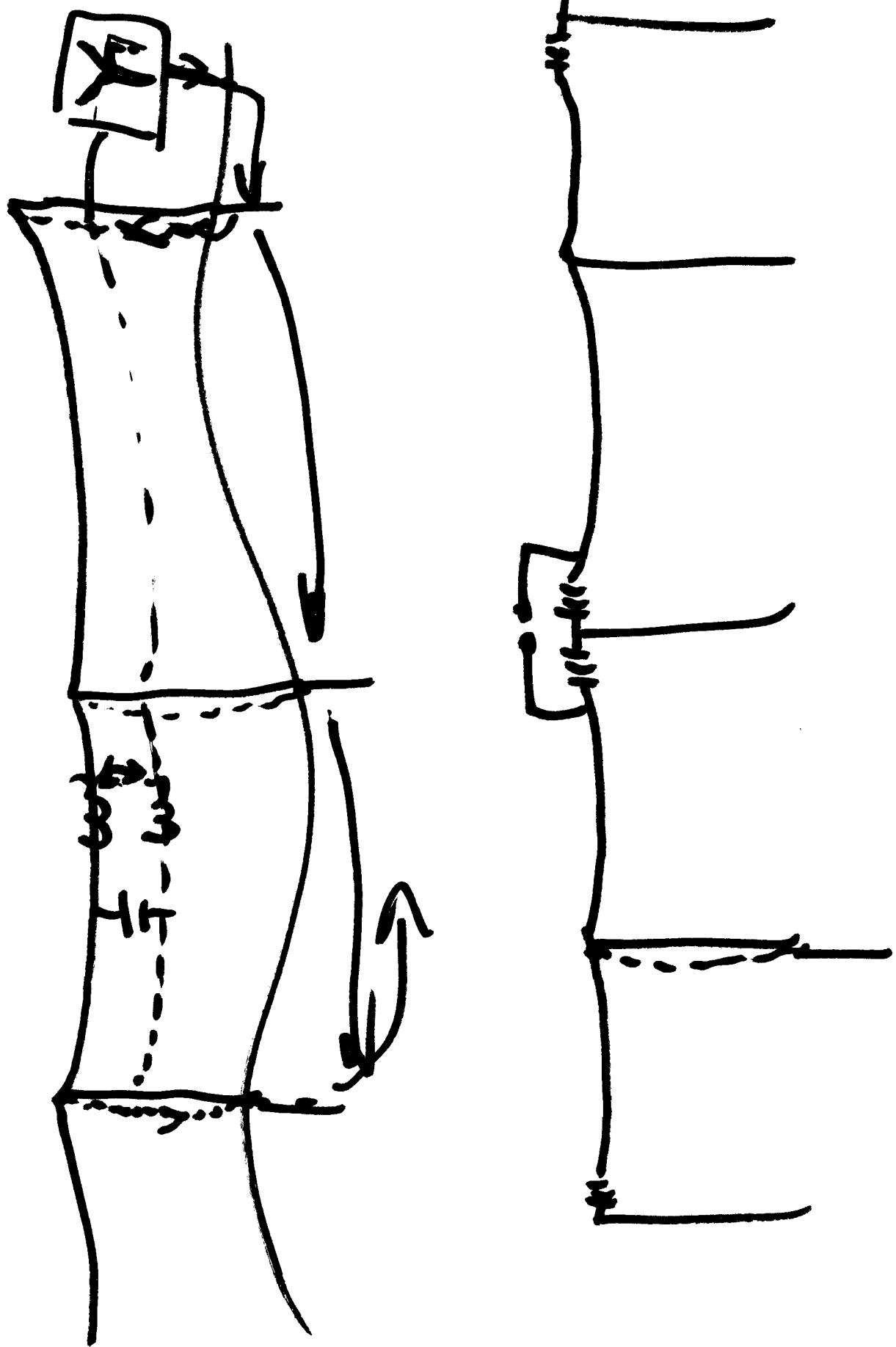
Phase conductors:  
 1—ACSR 2515 kcmil, 76/19  
 Radius = 2.388 cm  
 GMR = 1.893 cm  
 Resistance = 0.0280  $\Omega/\text{km}$

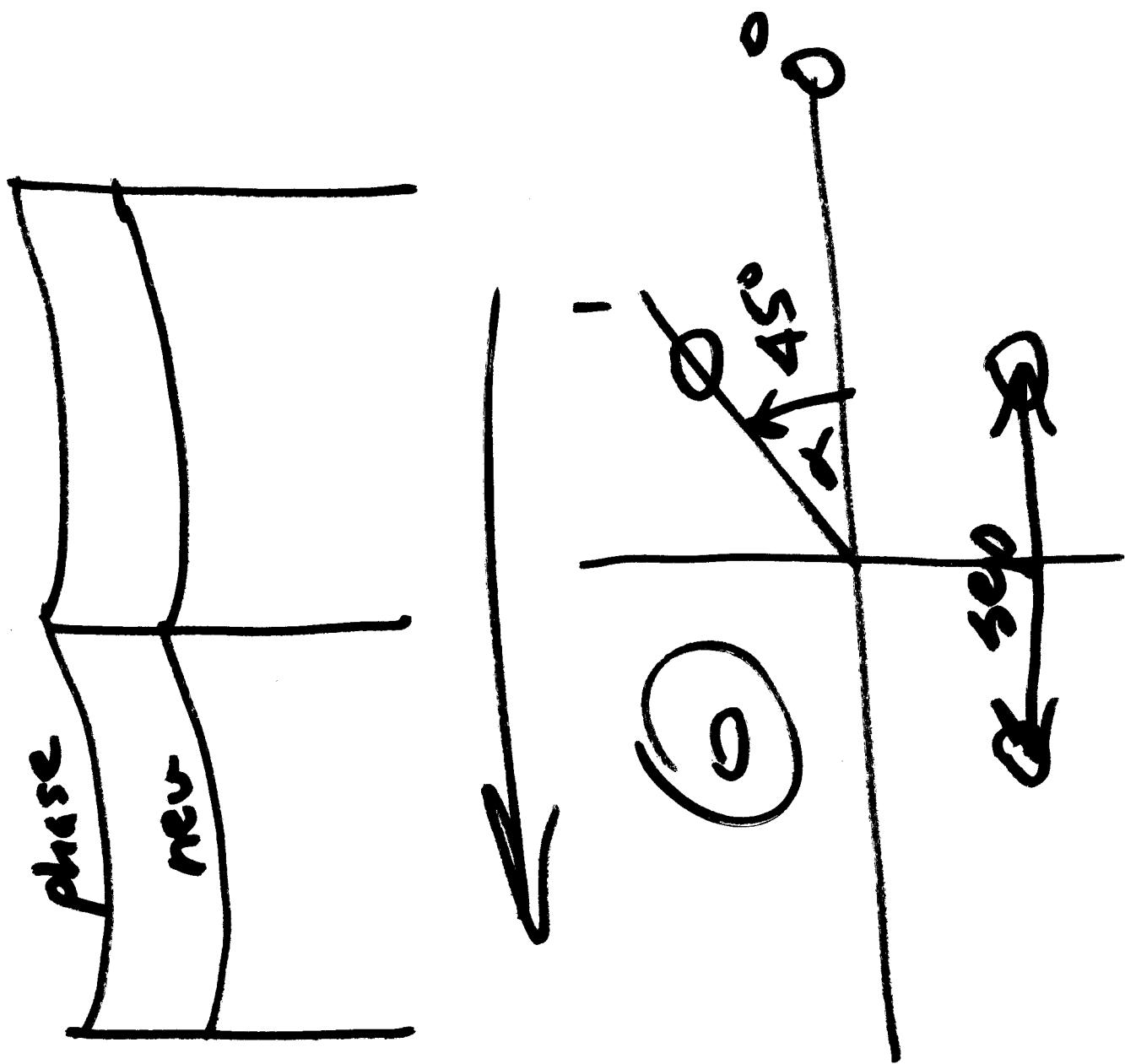
Neutrals:  
 2—Alumoweld 7 no. 8  
 Radius = 0.489 cm  
 GMR = 0.0636 cm  
 Resistance = 1.52  $\Omega/\text{km}$

Earth resistivity = 100  $\Omega\text{-m}$   
 Frequency = 60 Hz  
 Voltage = 345 kV



- 5.38** Rework Problem 5.37 for phase arrangement II shown in parentheses in Figure 5.34. Compare the computed results of the two phase arrangements.





x.list file:

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use "line check" also....

click on ATP → Linecheck