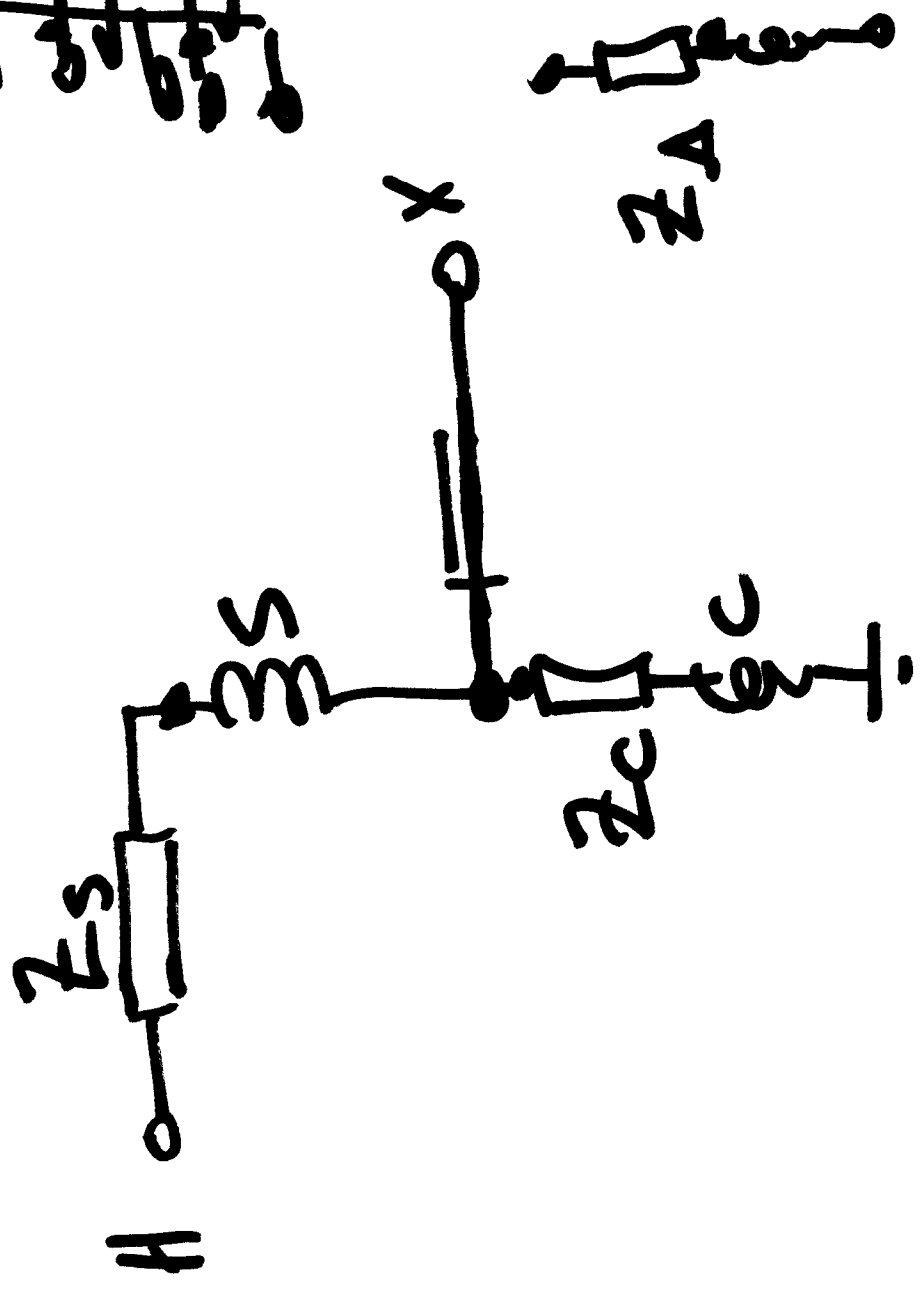
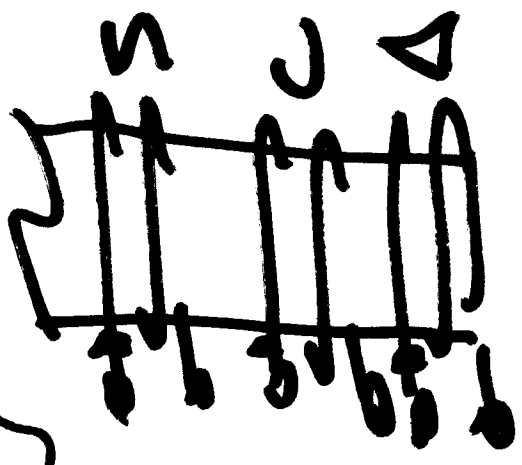
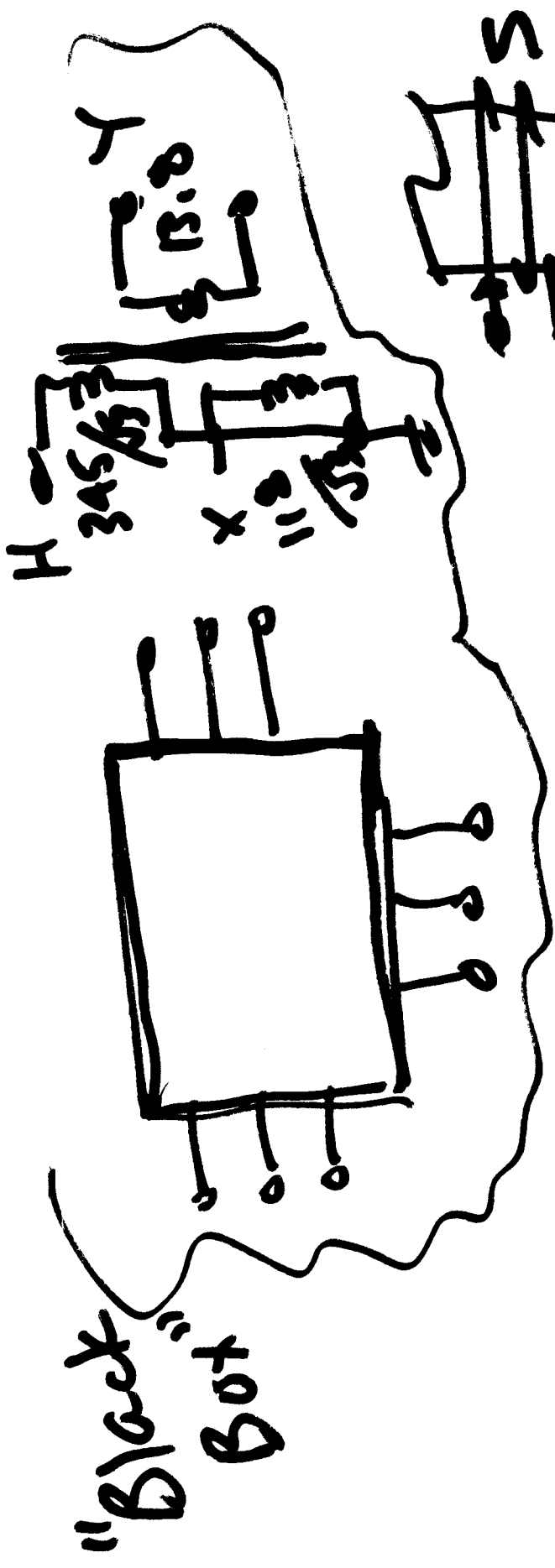


## Topics for Today:

- Announcements
- Matlab - how is it going?
- Learning Center: TBA
- Office: EERC 614. Phone: 906.487.2857
- Recommended problems from Ch.3, solutions posted
- Next: Transmission Line Parameters, Chapters 4,5,6

## Synchronous Machines - Chapter 3. (View the review video !)

- Basic internal structure of machines, cylindrical vs. salient
- Field windings
- Calculation with  $X_d$  and  $X_q$ .
- Calculation Example(s)
- Concepts behind SYNCH exercise set.
- S-S behavior -  $X_d$  ; Dynamic behavior -  $X_d'$
- Short-circuit behavior -  $X_d''$ ; s-s, transient, subtransient



Three-Winding Y-Y-D AutoTransformer - Interpretation of Factory Test Data

Split Rock #10 and #11

Bruce Mork, Jun 25, 2005

C:\RSCH\XFMR\3WIND.xls

[ ] = Input Data  
(All other cells are locked)

Winding Ratings, OA

	kVL-L	MVA	Current	3ASE, RATE	BASE, 10I	BASE, TER
H	345	240	401.63	495.94	1190.25	1889.29
X	118	240	1174.27	58.02	139.24	221.02
Y	13.8	63	2635.73	3.02	1.90	3.02

Freq, Hz Omega  
60 376.991

Binary Short Circuit Tests (Using Base of Source Winding):

Source	Shorted	Test MVA	ISOURCE	ISHORT	PMEAS	R, Ohms	QCALC	%ZMEAS	%RCALC	%XCALC
345	118	240	401.63	1174.27	260,385	0.538	14,013,581	5.84%	0.1085%	5.84% H-X
345	13.8	63	105.43	2635.73	95,448	2.862	6,860,036	10.89%	0.1515%	10.89% H-Y
118	13.8	63	308.25	2635.73	96,588	0.339	5,530,557	8.78%	0.1533%	8.78% X-Y

On 100-MVA Base: ZHX =  
ZHY =  
ZXY =

X/R =	53.82	2.43%	0.0452%	2.43%
	71.87	17.29%	0.2405%	17.28%
	57.26	13.94%	0.2434%	13.93%

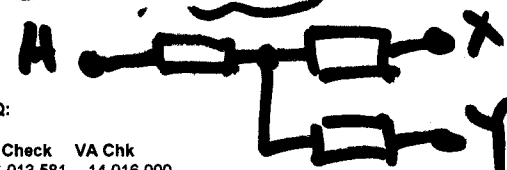
Calculate 3-Winding Star-Equivalent Short-Circuit Impedances:

Terminal	R, Ohms	PAC	P Check
H	0.2519	PHX =	260,385
X	0.0335	PHY =	95,448
Y (Y-Equiv)	0.0042	PXY =	96,588

% on 100-MVA Base		
	%R	%X
ZH	0.0212%	2.891%
ZX	0.0240%	-0.458%
ZY	0.2193%	14.393%

Ratings of Actual Coils, OA

	kVPH	MVA	Current	3ASE, RATE	BASE, 10I	BASE, TER
S	131.06	52.64	401.63	326.31	515.29	817.92
C	68.13	52.64	772.64	88.18	139.24	221.02
D	13.80	21.00	1521.74	9.07	5.71	9.07



Calculate Autotransformer Coil Impedances Based on Conservation of Short-Circuit P & Q:

Coil	IRATED	KVRATED	R, Ohms	X, Ohms	PAC	P Check	QAC	Q Check	VA Chk
Series	401.63	131.06	0.3498	32.5475	PHX =	260,385	QHX =	14,013,581	14,016,000
Common	772.64	68.13	0.0509	-0.9700	PHY =	95,448	QHY =	6,860,036	6,860,700
Delta	1521.74	13.80	0.0118	0.8359	PXY =	96,588	QXY =	5,530,557	5,531,400

Short-Circuit Test Conditions in Each Coil:

Test:	H-X				H-Y				X-Y				
Coil	KVRATED	Isc	MVATEST	PCOIL_KW	Isc	MVATEST	PCOIL_KW	Isc	MVATEST	PCOIL_KW	Isc	MVATEST	PCOIL_KW
Series	131.06	401.63	157.91	169.28	105.43	41.45	11.88	0.00	0.00	0.00	0.00	0.00	0.00
Common	68.13	772.64	157.91	91.11	105.43	21.55	1.70	308.25	63.00	14.50	1521.74	63.00	82.09
Delta	13.80	0.00	0.00	0.00	1521.74	63.00	82.09	1521.74	63.00	82.09	1521.74	63.00	82.09
	Total PSC : 260.385				Total PSC : 95.448				Total PSC : 96.588				

Synthesized Short-Circuit Tests for S-C-D windings:

Test:	S-C				S-D				C-D				
Coil	KVRATED	Isc	MVATEST	PCOIL_KW	Isc	MVATEST	PCOIL_KW	Isc	MVATEST	PCOIL_KW	Isc	MVATEST	PCOIL_KW
Series	131.06	401.63	157.91	169.28	160.23	63.00	26.94	0.00	0.00	0.00	0.00	0.00	0.00
Common	68.13	772.64	157.91	91.11	0.00	0.00	0.00	308.25	63.00	14.50	1521.74	63.00	82.09
Delta	13.80	0.00	0.00	0.00	1521.74	63.00	82.09	1521.74	63.00	82.09	1521.74	63.00	82.09
	Total PSC : 260.385				Total PSC : 109.030				Total PSC : 96.588				

Details of Synthesized Binary Short Circuit Tests for S-C-D windings (Using Base of Source Winding):

Source	Shorted	Test MVA	ISOURCE	ISHORT	PCALC	QCALC	R, Ohms	X, Ohms	%ZCALC	%RCALC	%XCALC
131.06	68.13	157.91	401.63	772.64	260,385	14,013,581	0.538	28.958	5.88%	0.1649%	8.87% S-C
131.06	13.80	63.00	160.23	1521.74	109,030	8,314,013	1.416	107.940	13.20%	0.1731%	13.20% S-D
68.13	13.80	63.00	308.25	1521.74	96,588	5,530,557	0.339	19.402	8.78%	0.1533%	8.78% C-D

On 100-MVA Base: ZSC =  
ZSD =  
ZCD =

X/R =	53.82	5.62%	0.1044%	5.62%
	76.25	20.95%	0.2747%	20.95%
	57.26	13.94%	0.2434%	13.93%

Calculate 3-Winding Star- and Delta-Equivalent Short-Circuit Impedances:

Coil Resistances:

RS, OHMS	0.3498
RC, OHMS	0.0509
RD, OHMS	0.0118

Calculate [A] matrix:

	S	C	D
S	13.100	-26.460	6.220
C	-26.460	72.878	-108.486
D	6.220	-108.486	476.501

VD : VC 0.203  
VD : VS 0.105  
VC : VS 0.520

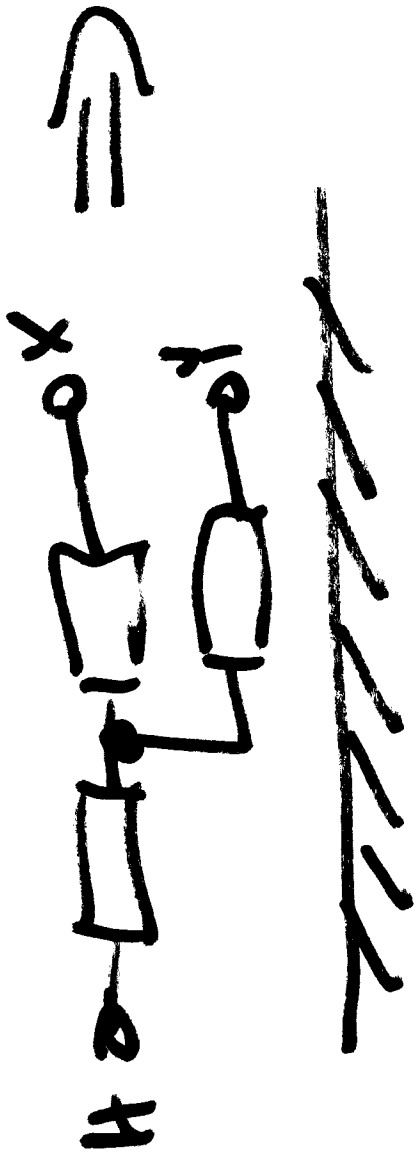
% on 100-MVA Base		
	%R	%X
ZS	0.0679%	6.32%
ZC	0.0385%	-0.70%
ZD	0.2068%	14.63%
ZS-C	0.1184%	5.32%
ZS-D	0.6590%	-111.71%
ZC-D	0.3547%	12.32%

L-1 Referred  
50.903 C  
-59.089 D  
535.570 D

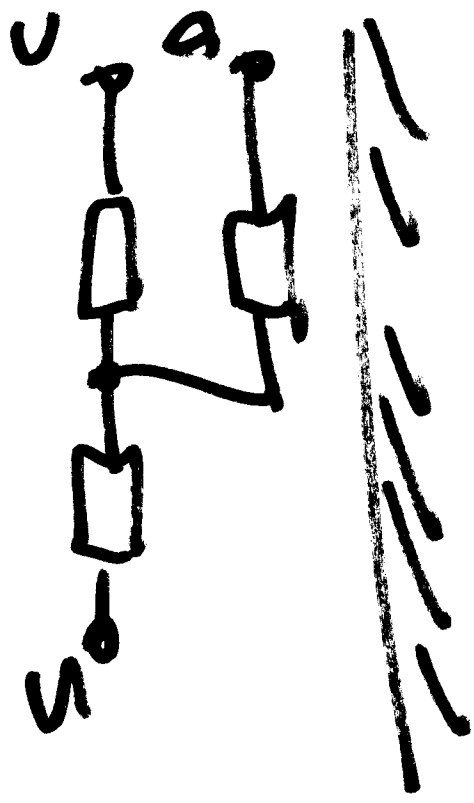
XS-C // (XS-D + XC-D) 5.62%  
XS-D // (XS-C + XC-D) 20.95%  
XC-D // (XS-C + XS-D) 13.93%  
== Check

[L3] => [Y]

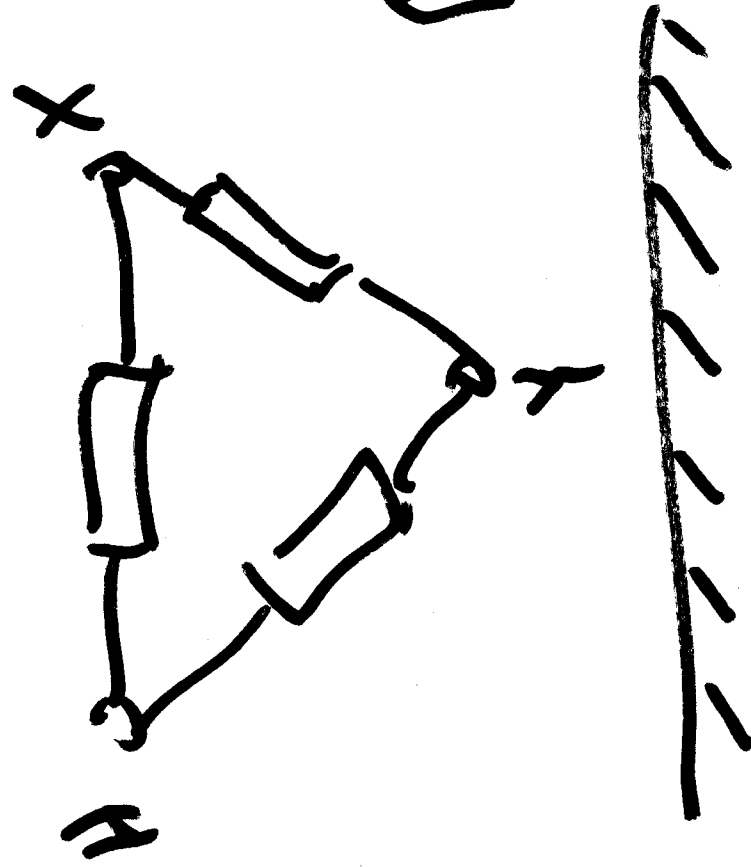
STAR



$\Rightarrow$

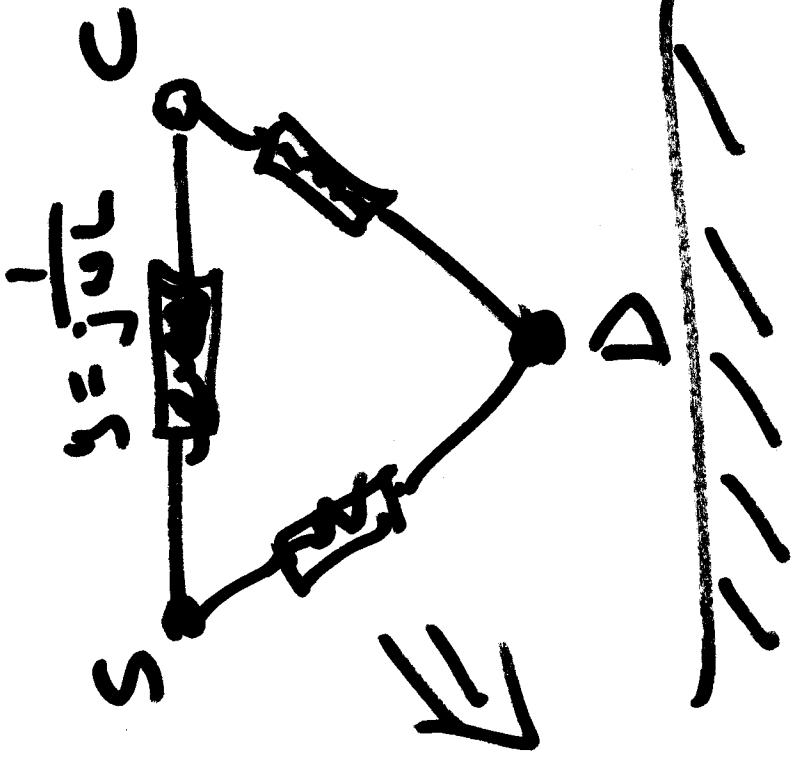


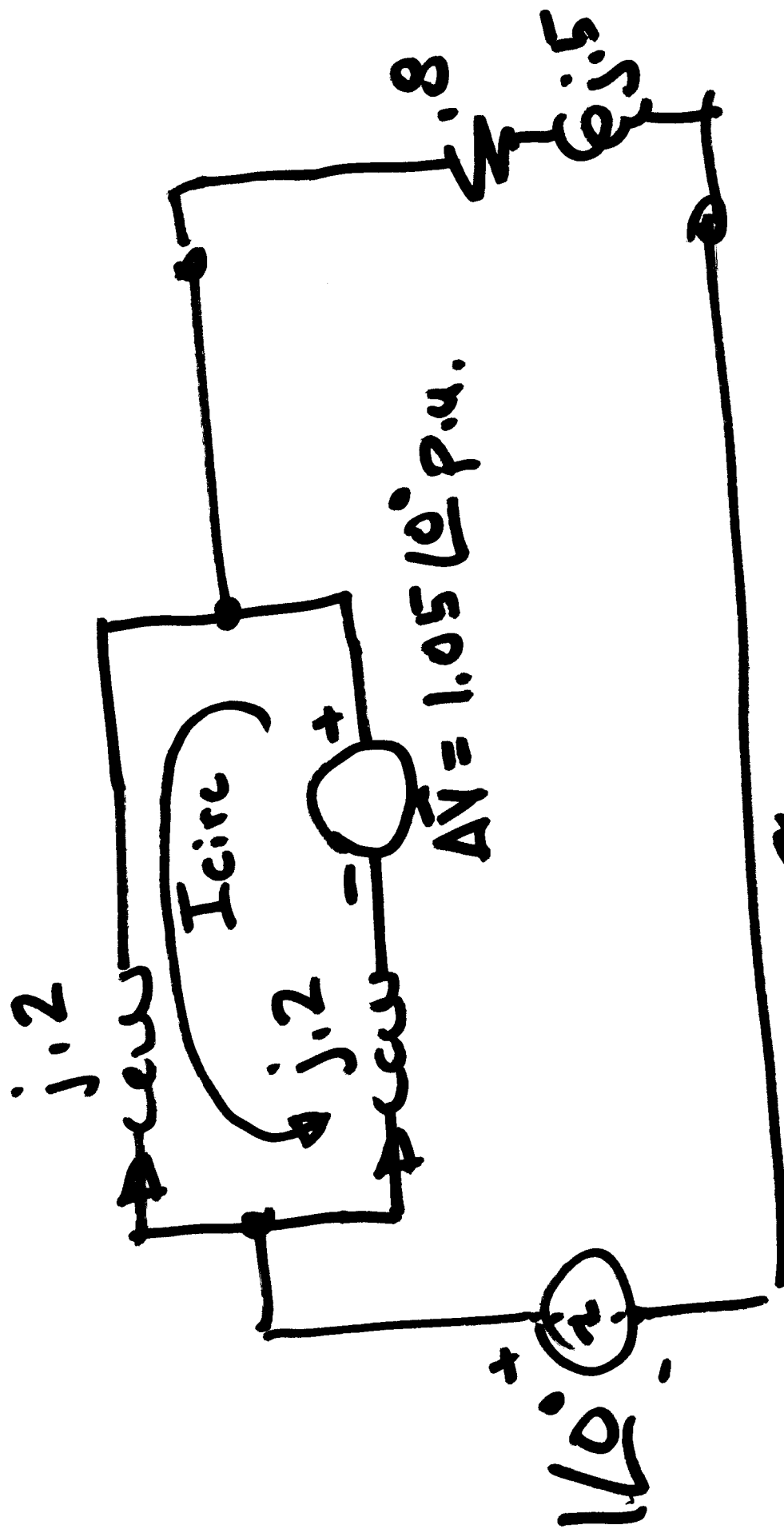
$\Rightarrow$



$\left[ \begin{matrix} \text{Ext} \\ 3 \times 3 \end{matrix} \right]$

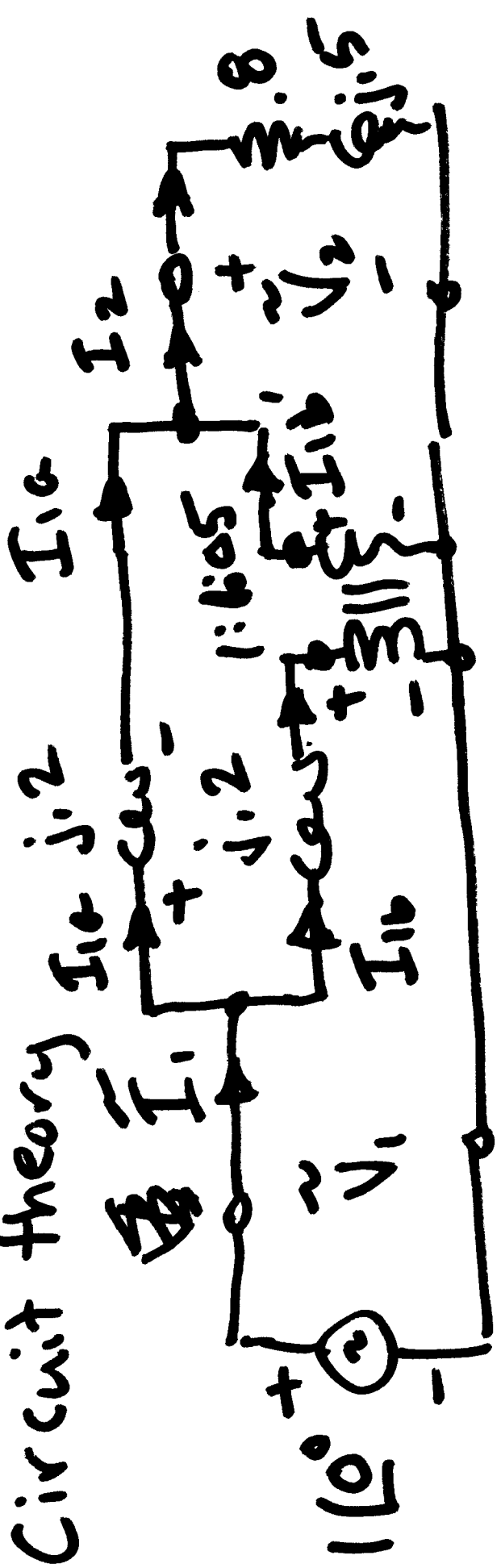
$\Rightarrow$





$$\vec{I}_{circ} = \frac{\Delta V}{j.4} = -j.125 \text{ p.u.}$$

Circuit theory



$$I_1 = I_{1a} + I_{1b}$$

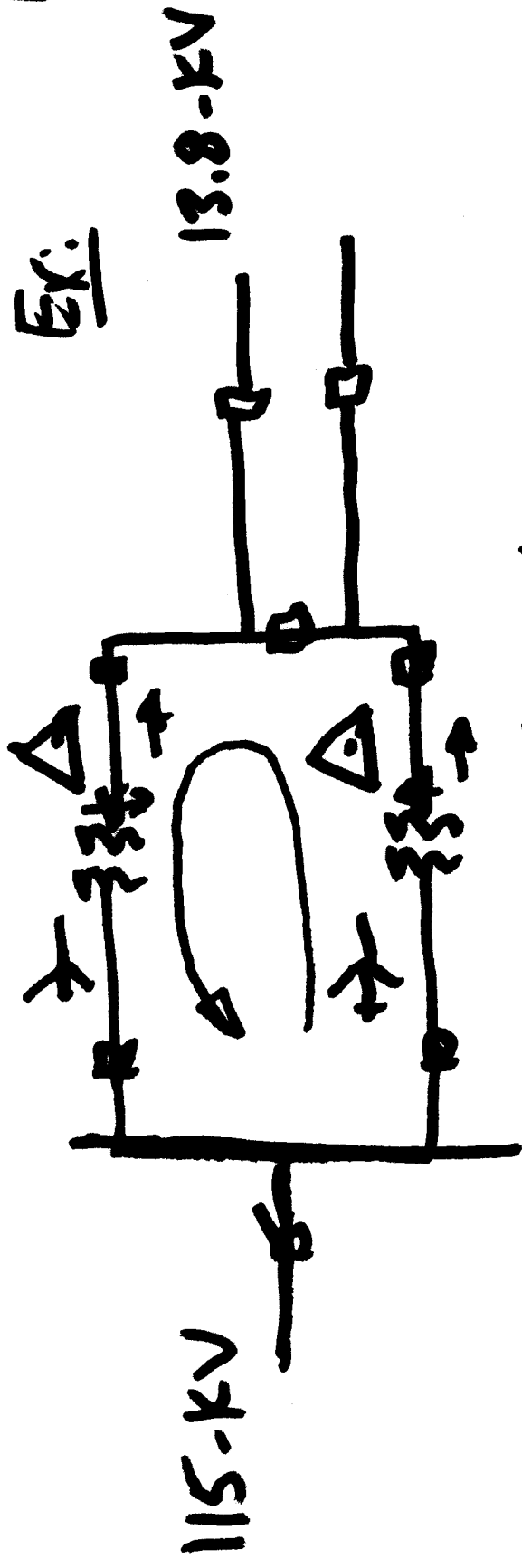
$$I_2 = I_{2a} + I_{2b}$$

KCL:

$$\Rightarrow \tilde{V}_2 = 963 \angle -5.1^\circ \text{ p.u.}$$

$$\frac{10 \angle 0^\circ - \tilde{V}_2}{j1.2} = \frac{10 \angle 0^\circ - \tilde{V}_2}{j1.05} + \frac{\tilde{V}_2}{8 \angle 115^\circ}$$

Ex: 13

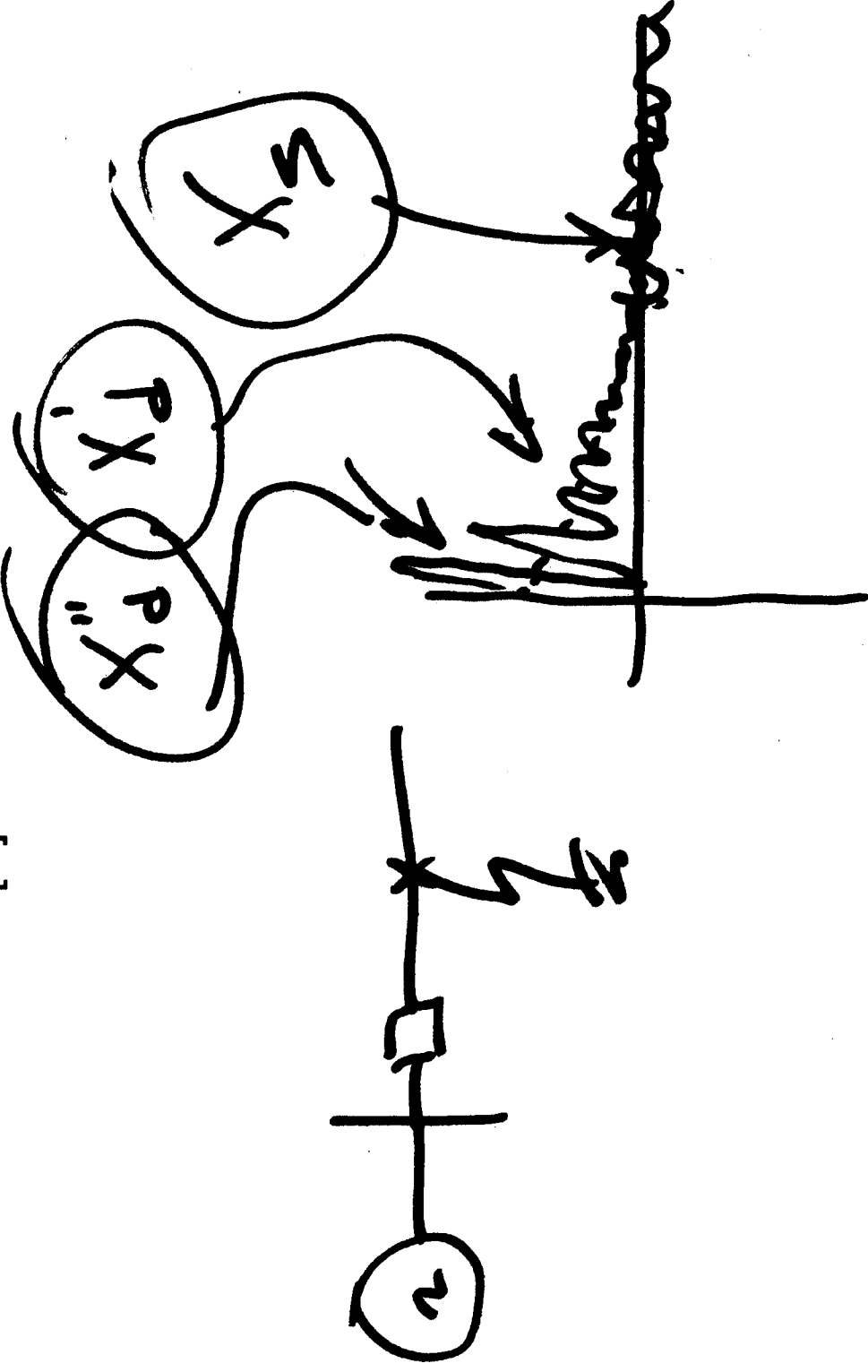


Circulating vars

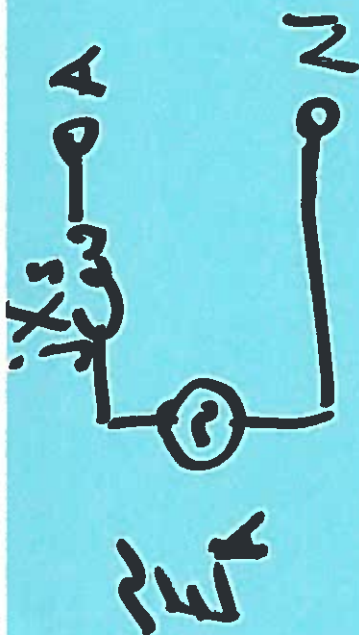
Energization Testing of Var Meters

## Next: Synchronous Machines - Chapter 3 — Week 5

- Recommended problems & solns for Ch.3 are posted.
- Phasor diagrams - unity, lag, lead
- Salient rotor machines - calculation with  $X_d$  and  $X_q$ .
- Calculation Example(s)
- P & Q flows thru transmission lines
- More on admittance matrix [Y] construction







S.S  
- Power Flow

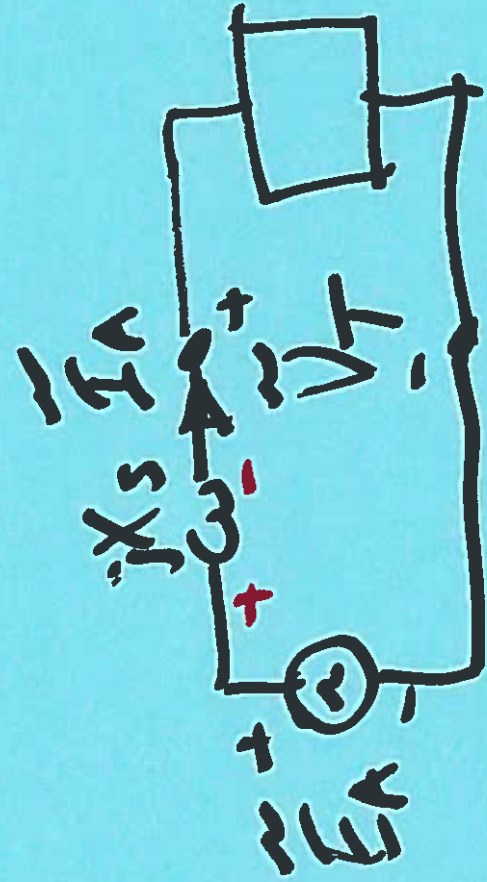
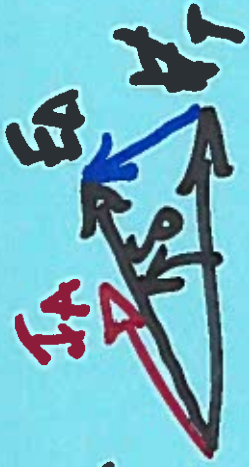


Trans  
- State

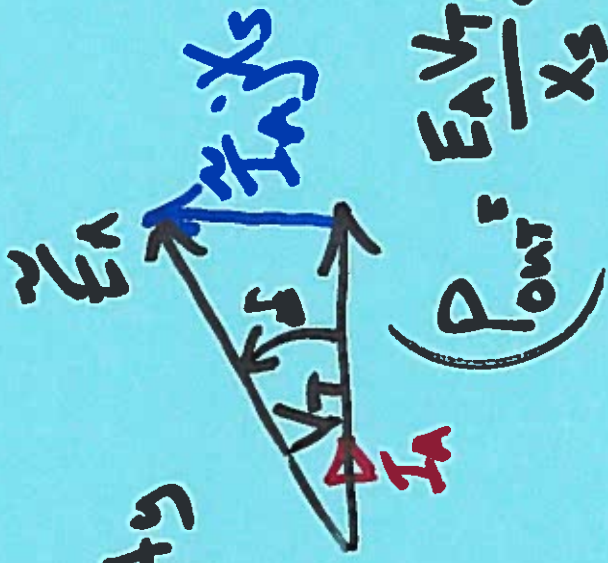


Subtrans  
- S.C.  
- Switching

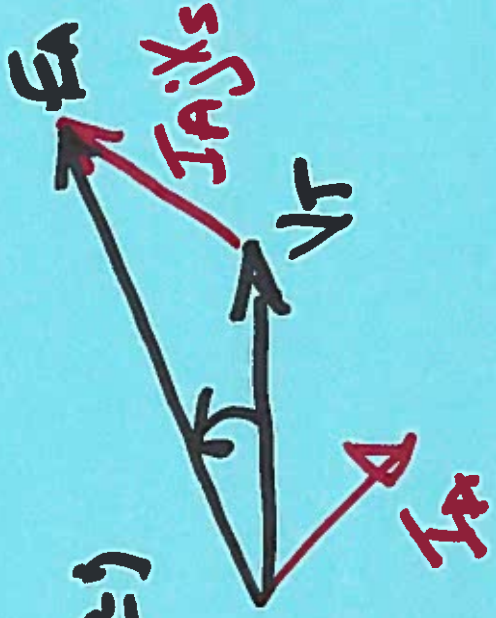
Load



unity



lag



From: Bruce Mork <bamork@mtu.edu>  
Subject: d-q synch machine steady-state loading calcs

First of all, notation-wise, the internal induced voltage of the synch machine is called  $E_a$  in some references (voltage induced on armature windings) and in other references it's called  $E_f$  (since induced voltage on armature is due to magnitude of field current according to open-circuit characteristic of machine).

In answer to question posed:

Yes,  $I_q$  by definition is exactly in phase with  $E_a$ . Referring to Fig. B-5 in Appendix B reference,

- 1) determine  $I_a$  according to load specified, usually assuming  $V_t = 1.0$  pu at  $0^\circ$ .
- 2,3) calculate  $E_a'$  to find torque angle  $\delta$  (this is based observation that since  $jX_d I_d$  is parallel to  $E_a$ , then  $V_t + I_a R_a + jX_q I_a$  lands you somewhere along the phasor  $E_a$  and this allows you to determine  $\delta$ ).
- 4) knowing  $\delta$ , resolve  $I_a$  into its 2 components  $I_a = I_d + I_q$
- 5) then finally,  $E_a = V_t + I_a R_a + jX_d I_d + jX_q I_q$ .

As a double-check,  $E_a$  must end up with the same angle ( $\delta$ ) that you calculated for  $E_a'$ . So, the very good thing about this is that there is a double-check built into the calculations, you can immediately see if your answer seems to be correct, i.e. if  $E_a'$  and  $E_a$  have different angles, then you messed up somewhere along the line...

Dr. Mork