EE5240 - Lecture 17 (EE5220 L12, 2/3/12)

Topics for Today:

- Computer methods for time-domain transient simulation
 - ATP Simulation pointers 3-phase connections
 - Cap Bank Switching
 - ATP how it works internally
 - History of program development, versions available
 - Rs, Ls, Cs
 - Transmission lines
 - System description as conductance matrix [G]
 - Solution of [G] [V] = [I] when V's and I's are a mixture of knowns and unknowns.

ATP Simulation Pointer for the day:

When building 3-phase circuits, you are actually drawing a one-line which represents the L-G per-phase equivalent of the system. Node names have a base name 5 characters long, with the 6th character A, B, C automatically added. Click on the 3-phase end of the splitter if you want to define the base node name.

If you need to make single-phase connection(s) to individual phases, use the splitter. When drawing a connecting line to a splitter, start at the node of the single-phase element and connect *to* the splitter. If you need to ground one phase, you can do that at the single phase element, but not at the splitter.







Side Note: Mathematical Structure is [Y][V]=[I] Sparse 1/10 [V]= (I] node Vs rinjected currents

Injected Currents! Network Therenin = Extra Nale V= Fixed Bad Instead, convert to Norton: NORTON lotwork 「い」 YBAS

Kolirm Kg Etim : VK-Vm=Ldikmli $d_{i_{K,m}}(t) = \{i_{K,m}(t)\}$ κ,m(t-Δ $dt = \Delta t$ Trapezoidal Integration t) Jt

GA 4 「トレ ドード 5 5 vdt = as Small Cannot **A**t **A**t 5 1=1

Look at trapezoidal implementation of egn: Look 63 dir,m(t) $\mathcal{T}_{\kappa}(t) - \mathcal{T}_{m}(t) = L$ $\frac{1}{2}\int \left[\frac{1}{2} \left[\frac{1}{2}$ $di_{K,m}(t)$ と(t)-び **≁-**Δt $\mathcal{V}_{\mathcal{K}}(t-\Delta t)-\mathcal{V}_{\mathcal{M}}(t-\Delta t)$

The integral can then be approximated as the area of the trapezoid: $\frac{1}{L}\int_{\xi-\Delta t}^{\tau} \mathcal{T}_{x}(t) - \mathcal{T}_{m}(t) dt$ $\stackrel{\simeq}{=} \frac{\Delta t}{L} \left[\frac{v_{k}(t) - v_{m}(t) + v_{k}(t - \Delta t) - v_{m}(t)}{2} \right]$ (i.e. area of trapezoid = At x average height of sides)

7A



Integral is:

 $\frac{1}{2} \left[\frac{J_{k}(t) - J_{m}(t) + J_{k}(t - \Delta t)}{-4 J_{m}(t - \Delta t)} \right] \frac{\Delta t}{2}$

putting pieces together, $i_{K,m}(t) \equiv i_{K,m}(t-\Delta t)$ $+ \frac{\Delta t}{2L} \left[v_{K}(t) - v_{m}(t) + \overline{v_{K}(t-\Delta t)} - v_{m}(t-\Delta t) - v_{m}(t-\Delta t) \right]$ Separating (t) & (t-st) terms,

+ $\frac{1}{2}x, m(t-\Delta t) + \frac{1}{2t} \int x_{k}(t-\Delta t) - v_{m}(t-\Delta t)$ Vo Hage drop Current at time at for present Ihist = Ikym = Summation of all currents at past time steps. i.e. t-bt, t-20t, t-30t,... It ist (0) = i (0). (1) vr (1) - vn (1) Initial Ention: im,k (t) =

[Yous] is augmented according to system elements needed. K: G into [Yous] C: i_{K,m} (+) Kφ Lixm (t- 1+) R= [Y][]=[]

K,m(t) K Ksm (+- 4+) Ŷ R HISTORY CURRENT