

Previous class

- Designing heuristic functions: $h(n)$

- dominance

- consistency

- Iterative deepening A^* search

(it is really an iterative depth-first search with $f(n)$ as a limit rather than depth)
 $= g(n) + h(n)$

Today

- Constraint satisfaction problems

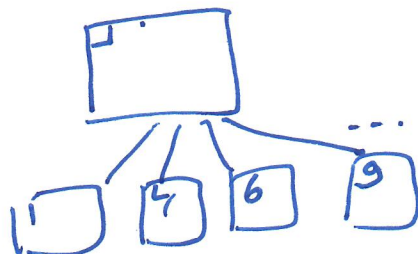
$f^*(G)$ G : optimal goal
here if admissible

Casting sudoku as a search problem

state:

actions:

goal test: all cells are filled with valid values
values that satisfy the constraints



SAT: $(a_1 \vee a_2 \vee a_3) \wedge (a_3 \vee a_4 \vee a_5) \wedge \dots$
F F T F F F
 a_1
 $\swarrow \searrow$
 a_2 $\swarrow \searrow$

~~1~~ ~~2~~ ~~3~~ ~~4~~ ~~5~~ ~~6~~ ~~7~~ ~~8~~ ~~9~~

1 2 3 4 5 6 7 8 9

Sudoku example

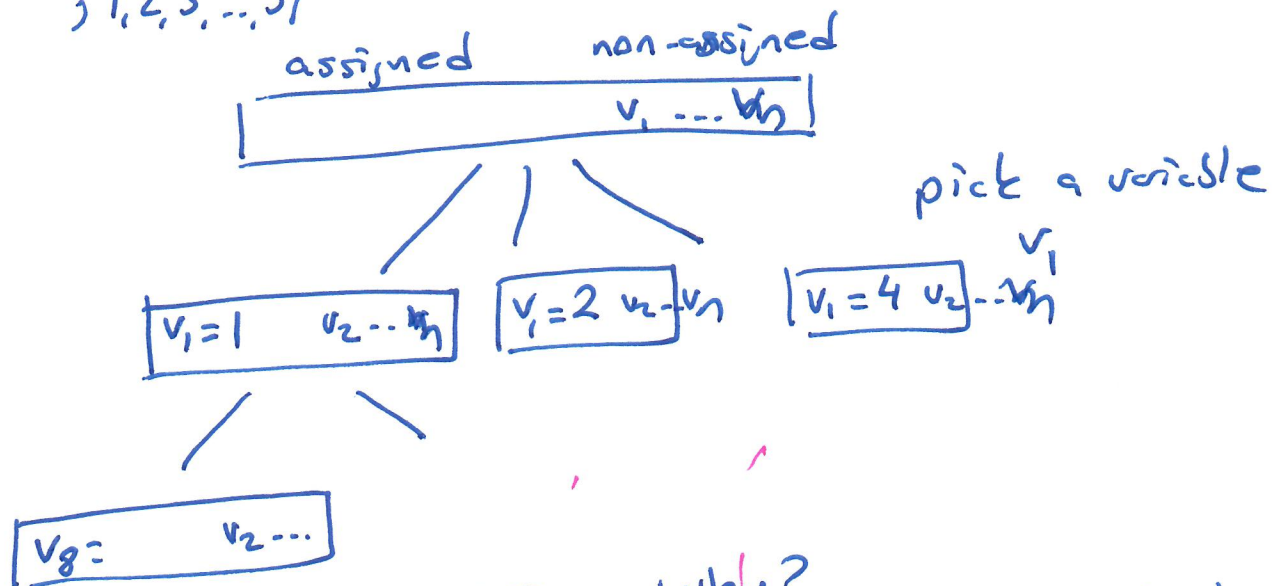
2

1				4	7		2	8	6
2	7					2			4
3			3				9	5	7
4	8	4		3					1
5									
6	5					8		7	3
7		9	5				6		
8				5			7		2
9		7			6	1			

CSP: $v_1 \ v_2 \ \dots \ v_n$

(3)

$\{1, 2, 3, \dots, 9\}$



which one

DFS

why?

BFS

better space complexity

unless there is a notion of optimality

level $\rightarrow$

n

What is the depth of the solution? $d = n$

$\rightarrow$ The solution will be there