1. Editing MathCad formulas 1.

First change the math format as follows:

- a) Select [Format]→[Equation...] menu item
- b) Choose [Variables], click [Modify...] and change the font size to 12 and italic.
- c) Choose [Constants], click [Modify...] and change the font size to 12.
- d) Click [OK]
- e) Next, select [Format]→[Style] menu item
- f) Choose [Normal], click [Modify...], click [Font..] and change font size to 12 pts
- g) Click [OK], click [OK] then click [Close].

Now type the following text and equations in MathCad (note: use the **[ctrl =]** for the equality symbol):

The other roots can then be obtained by using the values of the first root:

$$z_2 = \frac{-\left(A+z_1\right) + \sqrt{\left(A+z_1\right)^2 - 4 \cdot \left[B+z_1 \cdot \left(A+z_1\right)\right]}}{2}$$

$$z_3 = \frac{-\left(A+z_I\right) - \sqrt{\left(A+z_I\right)^2 - 4 \cdot \left[B+z_I \cdot \left(A+z_I\right)\right]}}{2}$$

Case 2: $\triangle < 0$ + There will be three real roots.

The first root will be obained as follows (whose proof is given below):

$$z_{l} = \left[2 \cdot \left(\sqrt{\frac{-p}{3}} \right) \right] \cdot cos \left(\frac{atan\left(\frac{\sqrt{-\Delta}}{\frac{q}{2}} \right)}{3} \right) - \frac{A}{3}$$

Figure 1. MathCad Formulas.

2. Constants and Definitions.

a) Open a new MathCad window and type the following definitions (this time use the colon symbol, ":"):

$$R_{g} := 8.314 \frac{m^{3} \cdot Pa}{mol \cdot K}$$

$$P := 1atm$$

$$T := (20 + 273.15)K$$

$$n := 100mol$$

$$V := \frac{n \cdot R_{g} \cdot T}{P}$$

Note: The squiggly lines are just warnings that these variables have been previously defined. For instance, V was previously used for "volts" and T was previously used for "Teslas". Also, note that we added a subscript g in R_g to avoid redefining R which was defined for Rankine.

b) Now evaluate the volume V by typing "V =" using just the [=] key.

3. Defining functions.

Create a function that calculates the change in sensible heat for CO_2 resulting from a temperature change from $T_{initial}$ to T_{final} .

$$\Delta H(n, T_{initial}, T_{final}) = n \int_{T_{initial}}^{T_{final}} C_p(T) dT$$

where n is the number of moles and the heat capacity is given by

$$C_{P,CO_2}(T \text{ in } {}^{\circ}C) = (a_0 + a_1T + a_2T^2 + a_3T^3) \frac{kJ}{mol \cdot K}$$

with the polynomial coefficients given by

$$a_0 = 36.11 \times 10^{-3}$$
; $a_1 = 4.233 \times 10^{-5}$; $a_2 = -2.887 \times 10^{-8}$; $a_3 = 7.464 \times 10^{-12}$

Test with the following values: n = 100 moles, $T_{initial} = 30$ °C and $T_{final} = 90$ °C

4. Do number 5 (page 21).